Think Twice before Adaptation: Improving Adaptability of DeepFake Detection via Online Test-Time Adaptation

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Abstract

Deepfake (DF) detectors face significant challenges when deployed in real-world environments, particularly when encountering test samples deviated from training data through either postprocessing manipulations or distribution shifts. We demonstrate postprocessing techniques can completely obscure generation artifacts presented in DF samples, leading to performance degradation of DF detectors. To address these challenges, we propose Think Twice before Adaptation (T^2A) , a novel online test-time adaptation method that enhances the adaptability of detectors during inference without requiring access to source training data or labels. Our key idea is to enable the model to explore alternative options through an Uncertainty-aware Negative Learning objective rather than solely relying on its initial predictions as commonly seen in entropy minimization (EM)-based approaches. We also introduce an Uncertain Sample Prioritization strategy and Gradients Masking technique to improve the adaptation by focusing on important samples and model parameters. Our theoretical analysis demonstrates that the proposed negative learning objective exhibits complementary behavior to EM, facilitating better adaptation capability. Empirically, our method achieves state-of-the-art results compared to existing test-time adaptation (TTA) approaches and significantly enhances the resilience and generalization of DF detectors during inference.

1 Introduction

Recently, Generative Artificial Intelligence (GenAI) has been used to generate DFs for malicious purposes, such as impersonation¹ and disinformation spread², raising concerns about privacy and security. Several DF detection approaches have been proposed to mitigate these negative impacts [Nguyen-Le *et al.*, 2024a]. Despite advances, deploying these systems in real-world environments presents two critical challenges. First, in practice, adversaries can strategically apply previously unknown postprocessing techniques to DF samples **at inference time**, completely obscuring the generation artifacts [Corvi *et al.*, 2023] and successfully bypassing detection systems. Second, real-world applications are frequently exposed to test samples drawn from distributions that deviate substantially from the training data distribution [Pan *et al.*, 2023], leading to performance degradation. To mitigate these challenges, existing approaches require access to source training data and labels for complete re-training [Ni *et al.*, 2022; Shiohara and Yamasaki, 2022], continual learning [Pan *et al.*, 2023] or test-time training [Chen *et al.*, 2022], which is costly and time-consuming.

In this work, we address these limitations by introducing a novel TTA-based method, namely Think Twice before Adaptation (T^2A) , which enhances pre-trained DF detectors without requiring access to source training data or labels. Our approach achieves two key objectives: (1) enhanced resilience through dynamic adaptation to unknown postprocessing techniques; and (2) improved generalization to new samples from unknown distributions. While current TTA approaches commonly employ Entropy Minimization (EM) as the adaptation objective, solely relying on EM can result in confirmation bias caused by overconfident predictions [Zhang et al., 2024] and model collapse [Niu et al., 2023]. To this end, in T²A, we design a novel Uncertainty-aware Negative Learning adaptation objective with noisy pseudo-labels, allowing the model to explore alternative options (i.e., other classes in the classification problem) rather than becoming overly confident in potentially incorrect predictions. For better adaptation, we incorporate Focal Loss [Ross and Dollár, 2017] into the negative learning (NL) objective to dynamically prioritize crucial samples and propose a gradients masking technique that updates crucial model parameters whose gradients align with those of BatchNorm layers.

Our contributions. To the best of our knowledge, we are the first to present a novel TTA-based method for DF detection. Our contributions include:

- We provide a theoretical and quantitative analysis (Sec. 3) that demonstrates the impacts of postprocessing techniques on the detectability of DF detectors.
- We introduce T^2A , a novel TTA-based method specifi-

¹Finance worker pays out \$25 million after video call with deepfake 'chief financial officer'

²AI-faked images of Donald Trump's imagined arrest swirl on Twitter

cally designed for DF detection. T^2A enables models to explore alternative options rather than relying on their initial predictions for adaptation (Sec. 4.3). We also theoretically demonstrate that our proposed negative learning objective exhibits complementary behavior to EM. Additionally, we introduce Uncertain Sample Prioritization strategy (Sec. 4.4) and Gradients Masking technique (Sec. 4.5) to dynamically focus on crucial samples and crucial model parameters when adapting.

• We evaluate T²A under two scenarios: (i) Unknown postprocessing techniques; and (ii) Unknown data distribution and postprocessing techniques. Our experimental results show superior adaptation capabilities compared to existing TTA approaches. Furthermore, we demonstrate that integration of T²A significantly enhances the resilience and generalization of DF detectors during inference, establishing its practical utility in real-world deployments.

2 Related Work

2.1 Deepfake Detection

DF detection approaches are often formulated as a binary classification problem that automatically learns discriminative features from large-scale datasets [Nguyen-Le et al., 2024b]. Existing approaches can be classified into three categories based on their inputs: (i) Spatial-based approaches that operate directly on pixel-level features [Ni et al., 2022; Cao et al., 2022], (ii) Frequency-based approaches that analyze generation artifacts in the frequency domain [Liu et al., 2021; Frank et al., 2020], and (iii) Hybrid approaches that integrate both pixel and frequency domain information within a unified method [Liu et al., 2023b]. Recent advances have improved the cross-dataset generalization of DF detectors by employing data augmentation (DA) strategies [Ni et al., 2022; Yan et al., 2024], synthesis techniques [Shiohara and Yamasaki, 2022], continual learning [Pan et al., 2023], metalearning and one-shot test-time training [Chen et al., 2022].

Compared to existing methods, our T^2A offers advantages: (1) T^2A enables DF detectors to be adapted to test data without access to source data (e.g., OST [Chen *et al.*, 2022] requires source data for adaptation); (2) T^2A does not rely on any DA or synthesis techniques to extend the diversity of data; (3) Not only enhance the generalization, T^2A also improves the resilience of DF detectors to unknown postprocessing techniques. Additionally, our method is orthogonal to these works [Fang *et al.*, 2024; Liu *et al.*, 2024; He *et al.*, 2024], which require pre-training on joint datasets (physical and digital attacks) and do not adapt during inference.

2.2 Test-time Adaptation (TTA)

TTA approaches only require access to the pre-trained model from the source domain for adaptation [Liang *et al.*, 2024]. Unlike source-free domain adaptation approaches [Li *et al.*, 2024], which require access to the entire target dataset, TTA enables online adaptation to the arrived test samples.

TENT [Wang *et al.*, 2020] and MEMO [Zhang *et al.*, 2022] optimized batch normalization (BN) statistics from the test

batch through EM. LAME [Boudiaf et al., 2022] adapted only the model's output probabilities by minimizing Kullback-Leibler divergence between the model's predictions and optimal nearby points' vectors. Several methods have studied TTA in continuously changing environments. CoTTA [Wang et al., 2022] implemented weight and augmentation averaging to mitigate error accumulation, while EATA [Niu et al., 2022] developed an efficient entropy-based sample selection strategy for model updates. Inspired by parameter-efficient fine-tuning, VIDA [Liu et al., 2023a] used high-rank adapters to handle domain shifts. However, these methods solely rely on EM as the learning principle, which can present two issues: (1) Confirmation bias: EM greedily pushes for confident predictions on all samples, even when predictions are incorrect [Zhang et al., 2024], leading to overconfident yet incorrect predictions; and (2) Model Collapse: EM tends to cause model collapse, where the model predicts all samples to the same class, regardless of their true labels [Niu et al., 2023]. The model collapse phenomenon is particularly problematic in DF detection, where the inherent bias toward dominant fake samples in training data [Layton et al., 2024] can exacerbate the collapse.

Focusing on the problem of EM, our T^2A method allows the model to consider alternative options rather than completely relying on its initial prediction during inference through NL with noisy pseudo-labels.

2.3 Negative Learning

Supervised learning or positive learning (PL) directly maps inputs to their corresponding labels. However, when labels are noisy, PL can lead models to learn incorrect patterns. Negative learning (NL) [Kim *et al.*, 2019] addresses this challenge by training networks to identify which classes an input does not belong to. Several loss functions have been proposed by leveraging this concept: NLNL [Kim *et al.*, 2019] combines sequential PL and NL phases, while JNPL [Kim *et al.*, 2021] proposes a single-phase approach through joint optimization of enhanced NL and PL loss functions. Recent work has further integrated NL principles with normalization techniques [Ma *et al.*, 2020] to transform active losses into passive ones [Ye *et al.*, 2023].

Inspired by these advances, we introduce a NL strategy with noisy pseudo-labels to our T^2A method to enable the model to think twice during adaptation, avoiding confirmation bias and model collapse caused by EM.

3 Generation Artifacts Analysis

Artifacts in DFs generated by Generative Adversarial Examples (GANs), which emerge from the upsampling operations in the GANs pipeline, can be revealed in the frequency domain through Discrete Fourier Transform (DFT) [Frank *et al.*, 2020]. In this section, we demonstrate postprocessing techniques can completely obscure these artifacts presented in DF samples, leading to performance degradation of DF detectors.

Definition 3.1. Let an image $x(\cdot, \cdot)$ of size $M \times N$, its DFT $X(\cdot, \cdot)$ is defined as:

$$X(u,v) = \frac{1}{MN} \sum_{m=0}^{M-1} \sum_{n=0}^{N-1} x(m,n) e^{-j2\pi(\frac{um}{M} + \frac{vn}{N})}, \quad (1)$$

where x(m, n) represents pixel values at spatial coordinates and X(u, v) denotes the corresponding Fourier coefficient in frequency domain.

Lemma 3.2. For two images $x_1(\cdot, \cdot)$ and $x_2(\cdot, \cdot)$, their convolution in the spatial domain is equivalent to multiplication of their spectra in the frequency domain:

$$x_1(m,n) \circledast x_2(m,n) \Leftrightarrow X_1(u,v) \cdot X_2(u,v).$$
(2)

This property (Proof in Appendix A) is particularly important for understanding why the upsampling operation leaves artifacts in the frequency domain [Ojha *et al.*, 2023]. For an image $x(\cdot, \cdot)$ convolved with a kernel $c(\cdot, \cdot)$, the output $y(\cdot, \cdot)$ in the spatial domain and its frequency domain form can be expressed as:

$$y(m,n) = x(m,n) \circledast c(m,n)$$

$$\Leftrightarrow Y(u,v) = X(u,v) \cdot C(u,v)$$
(3)



Figure 1: Comparison of frequency domain artifacts across different image processing conditions. Top row: Images in spatial domain. Bottom row: Corresponding frequency spectra. Artifacts as *checkerboard patterns* in (c) and (d) are obscured by postprocessing techniques (i.e., Resize, Gaussian Blur). All fake images are generated by StarGANv2.

When image $x(\cdot, \cdot)$ is upsampled by a factor of 2 in both dimensions, the upsampled image $\tilde{x}(\cdot, \cdot)$ can be expressed as:

$$\tilde{x}(m,n) = \begin{cases} x\left(\frac{m}{2},\frac{n}{2}\right), & m = 2k, n = 2l\\ 0 & \text{otherwise.} \end{cases}$$
(4)

where k = 0, ..., M - 1 and l = 0, ..., N - 1. The DFT of the upsampled image is:

$$\tilde{X}(u,v) = \frac{1}{4MN} \sum_{m=0}^{2M-1} \sum_{n=0}^{2N-1} \tilde{x}(m,n) e^{-j2\pi(\frac{um}{2M} + \frac{vn}{2N})}$$
(5)

This upsampling operation creates a characteristic periodic structure in the frequency domain, showing that the original image's frequency components appear multiple times in the frequency domain:

$$\tilde{X}(u,v) = \begin{cases} X(u,v), & u \in [0, M-1], v \in [0, N-1] \\ X(u-M,v), & u \in [M, 2M-1], v \in [0, N-1] \\ X(u,v-N), & u \in [0, M-1], v \in [N, 2N-1] \\ X(u-N,v-N), & u \in [M, 2M-1], v \in [N, 2N-1] \end{cases}$$
(6)

These duplicated components create distinctive artifacts as *checkerboard patterns* in the frequency domain that distinguishes GAN-generated images from real ones.

However, these spectral artifacts exhibit vulnerability to various postprocessing operations [Corvi *et al.*, 2023]. As shown in Figure 1(b), the GAN-generated image displays distinctive checkerboard artifacts in its frequency spectrum, but they undergo substantial modifications when subjected to different postprocessing operations (Figures 1(c)-(d)). The magnitude of these artifacts' obscurity correlates directly with the intensity of the applied postprocessing operations, as demonstrated in Figure 3 (Appendix B). Furthermore, the empirical analysis presented in Figure 2 of Appendix B shows that the performance of existing DF detectors tends to drop significantly when encountering unseen postprocessing techniques with increasing intensities.

4 Methodology

The core principle of T^2A lies in its deliberate approach to decision-making, encouraging models to explore alternative options rather than solely relying on their initial predictions. The key steps of T^2A are summarized in Algorithm 1.

4.1 **Problem Definition**

Given a DF detector $f: \mathcal{X} \to \mathbb{R}^2$ parameterized by θ is welltrained on the training data $\mathcal{D}^{train} = \{(x_i, y_i)\}_{i=1}^{N^{train}} \sim P^{train}(x, y)$, where $x \in \mathcal{X}$ is the input and $y \in \mathcal{Y} = \{0, 1\}$ is the target label, our goal is to online update parameters θ of f on mini-batches $\{\mathcal{B}_1, \mathcal{B}_2, \ldots\}$ of the test stream $\mathcal{D}^{test} = \{(x_j, y_j)\}_{j=1}^{N^{test}} \sim P^{test}(x, y)$. Note that, in the online TTA setting, $P^{train}(x, y)$ and $\{y_j\}$ are unavailable, and the knowledge learned in previously seen mini-batches could be accumulated for adaptation to the current mini-batch [Liang *et al.*, 2024]. In this work, we consider online TTA in two challenging scenarios of DF detection:

- Unseen postprocessing Techniques: While the test data distribution remains similar to the training distribution P^{train}(x, y) = P^{test}(x, y), the test samples are applied unknown postprocessing operations Ψ : X → X. Specifically, given a test sample x_j ~ P^{test}, f takes Ψ(x_j) as input, where Ψ ∈ 𝔅 with 𝔅 denotes a set of unseen postprocessing techniques during training.
- 2. Unseen Data Distribution and postprocessing Techniques: This is a more challenging setting in which test samples come from a different distribution $P^{test} \neq P^{train}$ and are also subjected to unknown postprocessing operations.

Algorithm 1: T²A Algorithm

Input : trained model f_{θ} , test samples $\mathcal{D}^{test} = \{x_j, y_j\}_{j=1}^{N^{test}}$ **Define:** batch size B; loss balancing hyperparameters α, β , gradients alignment threshold ψ ; learning rate η 1 **for** mini-batches $\{x_i\}_{i=1}^B \subset \mathcal{D}^{test}$ **do** 2 Obtain pseudo-label \hat{y}_i from Eq. 8 Calculate noisy pseudo-label by Eq. 9 3 Calculate entropy of model predictions \mathcal{L}_{EM} follow Eq. 4 7 Calculate noise-tolerant negative loss 5 $\mathcal{L}_{NTNL}(x_i, \tilde{y}_i) = \alpha \mathcal{L}_{nn}(x_i, \tilde{y}_i) + \beta \mathcal{L}_p(x_i, \tilde{y}_i)$ follow Equations (11) and (12)Optimize the adaptation objective function: 6 $\mathcal{L}_{NTNL} + \mathcal{L}_{EM}$ to obtain the gradient matrix $\nabla_{\theta} \mathcal{L}$ Perform Gradient Masking on $\nabla_{\theta} \mathcal{L}$ by keeping the 7 parameters of those gradients aligned with gradients of BN layers by Eq. 15 Perform Gradient Descent to adapt the model: 8

 $\theta \leftarrow \theta - \eta \nabla_{\theta} \mathcal{L}$

4.2 **Revisitting Entropy Minimization (EM)**

EM is commonly used to update model parameters by minimizing the entropy of model outputs on test sample x during inference:

$$\mathcal{L}_{EM} = -\sum_{c \in C} p(y = c|x) \log p(y = c|x), \tag{7}$$

where p(y = c|x) is the predicted probability for class c, computed as the softmax output of the model: $p(y = c|x) = \frac{\exp(f_c(x))}{\sum_{c \in C} \exp(f_j(x))}$, where $f_c(x)$ is the logit for class c from the model's forward pass on input x. As discussed in Sec 2.2, EM causes two issues: Confirmation bias and Model collapse. Therefore, besides EM, our $\mathbb{T}^2\mathbb{A}$ method introduces a NL strategy with noisy pseudo-labels (described in Sec. 4.3), allowing models to re-think other potential options before making the final decision.

4.3 Uncertainty-aware Negative Learning

Uncertainty Modelling with Noisy Pseudo-Labels

Given the DF detector f, the pseudo-label $\hat{y} = \hat{y}(x) \in \{0, 1\}$ of input x is defined as:

$$\hat{y} = \text{sign}(f(x) - \tau) = \begin{cases} 1, & f(x) \ge \tau \\ 0, & f(x) < \tau \end{cases} , \qquad (8)$$

where $\tau \in [0, 1]$ denotes the classification threshold. Rather than implicitly trusting the model's initial predictions, we enable the model to "doubt" its predictions by introducing noisy pseudo-labels.

We model the uncertainty in pseudo-labels using a Bernoulli distribution. For each input x with pseudo-label \hat{y} , we generate a noisy pseudo-label \tilde{y} for input x_i as follows:

$$\tilde{y} = \begin{cases} 1 - \hat{y}, & \text{if } X \sim \text{Bernoulli}(1 - p_{x_i}) = 1\\ \hat{y}, & \text{otherwise} \end{cases}, \quad (9)$$

where p_{x_i} represents the prediction probability. This indicates that higher confidence predictions have a lower probability of being flipped. When the Bernoulli trial equals 1 (with probability $1-p_{x_i}$), the pseudo-label is flipped to the opposite class; otherwise (with probability p_{x_i}), it remains unchanged. However, directly adapting to noisy pseudo-labels presents two limitations during test-time updates: (1) Without access to source data for regularization, errors from noisy labels can accumulate rapidly; and (2) The stochastic nature of noisy gradients can lead to unstable updates.

Noise-tolerant Negative Loss Function

The goal of the noise-tolerant negative loss (NTNL) is to enable the model to think twice through NL with noisy pseudolabels.

From Positive to Negative Learning. Negative learning (NL) enables the model to be taught with a lesson that "*this input image does not belong to this complementary label*" [Kim *et al.*, 2019]. In our work, converting from pseudo-labels to noisy versions is equivalent to transforming from positive to negative learning, facilitating the DF model to re-think that "this input image might not belong to this real (fake)/fake (real) label".

Noise-tolerant Negative Loss Function. Inspired by existing works [Zhou *et al.*, 2021; Ma *et al.*, 2020; Ghosh *et al.*, 2017], we start from the fact that any loss function can be robust to noisy labels through a simple normalization operation:

$$\mathcal{L}_{norm} = \frac{\ell(f(x), y)}{\sum_{c \in C} \ell(f(x), c)}.$$
(10)

Theorem 4.1. In the binary classification with pseudo-label $\hat{y} \in \{0, 1\}$, if the normalized loss function \mathcal{L}_{norm} has the local extremum at x^* , the entropy minimization function \mathcal{L}_{EM} also has the local at x^* , and vice versa.

From Theorem 4.1 (Proof in Appendix A), we demonstrate that simply using pseudo-labels in the normalized loss function could drive the model toward maximizing confidence in its initial predictions \hat{y} . This behavior aligns with the EM objective presented in Eq.7. However, we seek to enable the model to explore another option rather than uncritically trusting its initial predictions, which may be incorrect. To do that, we introduce noisy pseudo-labels \tilde{y} in place of the original pseudo-labels \hat{y} within the normalized loss function, in which \tilde{y} is generated by the flipping procedure described previously, effectively transforming normalized loss function (Eq. 10) to a negative one. This normalized negative loss \mathcal{L}_{nn} for adapting with noisy pseudo-labels is defined as:

$$\mathcal{L}_{nn}(x,\tilde{y}) = \frac{\ell(f(x),\tilde{y})}{\sum_{c=\in\{0,1\}} \ell(f(x),c)}.$$
 (11)

As shown in Figure 4 (Appendix C.2), given a normalized loss function with pseudo label $\mathcal{L}_{norm}(x, \hat{y})$, our normalized negative loss function $\mathcal{L}_{nn}(x, \tilde{y})$ with noisy pseudo-label is the opposite of $\mathcal{L}_{norm}(x, \hat{y})$.

Prior research by [Ma *et al.*, 2020; Ye *et al.*, 2023] has indicated that the normalized loss function suffers from the underfitting problem. This problem is particularly critical in the TTA context where the model only "sees" a few samples during inference. To address this challenge, we incorporate the passive loss function \mathcal{L}_p [Ye *et al.*, 2023] into TTA, leading to our NTNL which can effectively help the model to adapt to noisy pseudo-labels:

$$\mathcal{L}_{NTNL}(x,\tilde{y}) = \alpha \mathcal{L}_{nn}(x,\tilde{y}) + \beta \mathcal{L}_p(x,\tilde{y}), \quad (12)$$

where $\mathcal{L}_p(x, \tilde{y}) = 1 - \frac{p_0 - \ell(f(x), \tilde{y})}{\sum_{c \in \{0,1\}} p_0 - \ell(f(x), c)}$, p_0 is the minimum value of the model prediction in the current test batch, and α, β are balancing hyperparameters.

Definition 4.2. (Passive loss function). \mathcal{L}_p is a passive loss function if $\forall (x, y) \in \mathcal{D}, \exists k \neq y, \ell(f(x), k) \neq 0$.

4.4 Uncertain Sample Prioritization

To identify which samples should be prioritized during adaptation, we propose a dynamic prioritization strategy that focuses on uncertain samples (i.e., low confidence). Our intuition here is that lower-confidence samples require the model to be considered more carefully. Specifically, we incorporate Focal Loss [Ross and Dollár, 2017] into the NTNL function (Eq. 12). Formally, the loss function $\ell(x, \tilde{y})$ is now defined:

$$\ell(x,\tilde{y}) = -(1 - p(\tilde{y}|x)^{\gamma})\log p(\tilde{y}|x), \tag{13}$$

where γ controls the rate at which high-confident samples are down-weighted.

The proposed NTNL with Focal Loss enables the model to explore alternative options beyond its initial predictions while dynamically focusing on uncertain samples during adaptation. When combined with EM, we formulate our final adaptation objective function to enhance the adaptation of DF detectors as follows:

$$\mathcal{L} = \mathcal{L}_{NTNL} + \mathcal{L}_{EM}, \tag{14}$$

where \mathcal{L}_{EM} is the entropy of model predictions defined in Eq. 7. By optimizing this objective, our approach achieves robust adaptation that can effectively handle both unknown postprocessing techniques and distribution shifts during inference.

4.5 Gradients Masking

BatchNorm (BN) adaptation [Schneider *et al.*, 2020] is widely used in existing TTA approaches [Niu *et al.*, 2022; Wang *et al.*, 2020]. BN is a crucial layer that normalizes each feature z during training: $y = \rho * \left(\frac{(z-\mu^b)}{\sigma^b}\right) + \vartheta$, where μ^b and σ^b are batch statistics, and ρ , ϑ are learnable parameters. After training, μ^{ema} and σ^{ema} , which are estimated over the whole training dataset via exponential moving average (EMA) [Schneider *et al.*, 2020], are used during inference. When $P^{train}(x, y) \neq P^{test}(x, y)$, BN adaptation replaces EMA statistics (μ^{ema}, σ^{ema}) with statistics computed from test mini-batches ($\hat{\mu}^b, \hat{\sigma}^b$). However, this approach is limited by only updating BN layer parameters.

To overcome this limitation, we propose a gradient masking technique that identifies and updates parameters whose gradients align with those of BN layers. Let θ_{BN_i} be the parameter of *i*-th BN layer, and all BN parameters' gradients are concatenated into a single vector: $u = [\nabla_{\theta_{BN_1}} \mathcal{L}, \nabla_{\theta_{BN_2}} \mathcal{L}, ..., \nabla_{\theta_{BN_L}} \mathcal{L}]$, where N is the number of BN layers and $\nabla_{\theta_{BN_i}} \mathcal{L}$ represents the gradient vector of the loss \mathcal{L} with respect to parameters in the *i*-th BN layer. For each non-BN parameter's gradient $v_i = \nabla_{\theta_i} \mathcal{L}$ in the model, we compute its cosine similarity with the concatenated BN gradients: $sim(u, v_i) = \frac{\langle v_i, u \rangle}{||v_i|| \cdot ||u||}$.

Note that, since parameter gradients and BN gradient vectors have different dimensions, zero-padding is applied to align dimensions before computing similarity. The final gradient masking is then applied as:

$$\nabla_{\theta_i} \mathcal{L} = \begin{cases} v_i & \text{if } \operatorname{sim}(v_i, u) > \psi\\ 0 & \text{otherwise} \end{cases},$$
(15)

where ψ is a threshold to control the selection of parameters for updating. This technique brings more capacity for adaptation as more model parameters are updated compared to approaches that only update BN parameters during inference [Niu *et al.*, 2022; Wang *et al.*, 2020].

5 Experiments

In this section, we demonstrate the effectiveness of our T^2A method when comparing it with state-of-the-art (SoTA) TTA approaches and DF detectors. We also provide an ablation study for our method in Appendix D.1 and an analysis of running time compared to other TTA methods in Appendix D.4.

5.1 Setup

Datasets and modeling

We use Xception [Chollet, 2017] as the source model, which as commonly used as the backbone in DF detectors. The training set is FaceForensics++ (FF++) [Rossler *et al.*, 2019]. To evaluate the adaptability of our T^2A method, we use six more datasets at inference time, including CelebDF-v1 [Li *et al.*, 2020b], CelebDF-v2 [Li *et al.*, 2020b], DeepFakeDetection (DFD) [Google, 2019], DeepFake Detection Challenge Preview (DFDCP) [Dolhansky, 2019], UADFV [Li *et al.*, 2018], and FaceShifter (FSh) [Li *et al.*, 2020a]. The dataset implementations are provided by [Yan *et al.*, 2023] and more details are described in Appendix C.

Metrics

We use three evaluation metrics: accuracy (ACC), the area under the ROC curve (AUC), and average precision (AP). For each metric, higher values show better results. Notably, in the DF detection context, datasets inherently exhibit significant class imbalance with fake samples substantially dominating real ones [Layton *et al.*, 2024], the AUC metric is more important as it remains robust to this problem.

Postprocessing Techniques

Following [Chen *et al.*, 2022], we employ four postprocessing techniques: Gaussian blur, changes in color saturation, changes in color contrast, and resize: downsample the image by a factor then upsample it to the original resolution. At the inference time, test samples are applied to these operations with the intensity level increasing from 1 to 5. Details of postprocessing techniques and intensity levels are provided in Appendix C. Note that these postprocessing techniques are unknown to all models.

Table 1: Comparison with state-of-the-art TTA methods on FF++ with different unknown postprocessing techniques. The results for each postprocessing technique are averaged across 5 intensity levels. Bold values denote the best performance for each metric.

	Postprocessing Techniques														
Method	C	olor Contra	st	Co	olor Saturati	ion		Resize		(Gaussian Blu	r	Average		
	ACC	AUC	AP	ACC	AUC	AP	ACC	AUC	AP	ACC	AUC	AP	ACC	AUC	AP
Source	0.7891 ± 0.04	0.8696 ± 0.03	0.9639 ± 0.01	0.8074 ± 0.04	0.8195 ± 0.06	0.9432 ± 0.02	$0.8120 \\ \pm 0.03$	0.8767 ± 0.02	0.9669 ± 0.01	0.8431 ± 0.01	0.8423 ± 0.04	0.9523 ± 0.01	$0.8129 \\ \pm 0.01$	0.8520 ± 0.02	0.9566 ± 0.01
TENT	0.8745 ± 0.01	$\substack{0.9043\\\pm\ 0.01}$	$\begin{array}{c} 0.9732 \\ \pm \ 0.01 \end{array}$	0.8408 ± 0.03	$\substack{0.8510\\\pm0.05}$	$\substack{0.9562\\\pm\ 0.01}$	0.8517 ± 0.01	$\substack{0.8837\\\pm0.02}$	$\begin{array}{c} 0.9680 \\ \pm \ 0.01 \end{array}$	$0.8622 \\ \pm 0.01$	$\substack{0.8844\\\pm\ 0.02}$	$\substack{0.9676\\\pm\ 0.01}$	0.8573 ± 0.01	$\substack{0.8808\\\pm\ 0.01}$	$\substack{0.9663\\\pm0.01}$
MEMO	$0.8288 \\ \pm 0.01$	$\substack{0.8612\\\pm0.01}$	$\substack{0.9603\\\pm\ 0.01}$	0.8268 ± 0.01	$\substack{0.8244\\\pm\ 0.04}$	$\begin{array}{c} 0.9482 \\ \pm \ 0.01 \end{array}$	0.8348 ± 0.01	$\substack{0.8611\\\pm0.02}$	$\substack{0.9620\\\pm0.01}$	${0.8334} \pm 0.01$	$\substack{0.8676\\\pm\ 0.02}$	$\substack{0.9626\\\pm\ 0.01}$	${0.8310 \atop \pm 0.01}$	$\substack{0.8536\\\pm\ 0.01}$	$\substack{0.9583\\\pm0.01}$
EATA	0.8740 ± 0.01	$\begin{array}{c} 0.9044 \\ \pm \ 0.01 \end{array}$	$\begin{array}{c} 0.9733 \\ \pm \ 0.01 \end{array}$	0.8402 ± 0.03	$\substack{0.8507\\\pm0.05}$	$\substack{0.9561\\\pm\ 0.01}$	0.8511 ± 0.01	$\substack{0.8839\\\pm0.02}$	$\substack{0.9681\\\pm\ 0.01}$	0.8625 ± 0.01	$\substack{0.8846\\\pm0.02}$	$\substack{0.9676\\\pm\ 0.01}$	0.8570 ± 0.01	$\substack{0.8809\\\pm\ 0.01}$	$\begin{array}{c} 0.9663 \\ \pm \ 0.01 \end{array}$
CoTTA	0.8548 ± 0.01	$\substack{0.8706\\\pm0.02}$	$\begin{array}{c} 0.9596 \\ \pm \ 0.01 \end{array}$	0.8214 ± 0.01	$\substack{0.8256\\\pm\ 0.01}$	$\substack{0.9481\\\pm\ 0.01}$	0.8445 ± 0.01	$\substack{0.8618\\\pm0.02}$	$\substack{0.9618\\\pm0.01}$	0.8517 ± 0.01	$\substack{0.8664\\\pm\ 0.02}$	$\substack{0.9622\\\pm\ 0.01}$	0.8431 ± 0.01	$\substack{0.8561\\\pm\ 0.01}$	0.9579 ± 0.01
LAME	0.7882 ± 0.03	$\substack{0.8185\\\pm0.05}$	$\substack{0.9393\\\pm\ 0.01}$	0.8088 ± 0.03	0.7594 ± 0.05	$\begin{array}{c} 0.9096 \\ \pm \ 0.03 \end{array}$	0.7957 ± 0.01	$\substack{0.8113\\\pm0.02}$	$\substack{0.9311\\\pm0.01}$	0.8065 ± 0.01	$\begin{array}{c} 0.7519 \\ \pm \ 0.06 \end{array}$	$\substack{0.9035\\\pm0.02}$	0.7998 ± 0.01	$\begin{array}{c} 0.7853 \\ \pm \ 0.02 \end{array}$	$\begin{array}{c} 0.9209 \\ \pm \ 0.01 \end{array}$
VIDA	0.8517 ± 0.01	$\begin{array}{c} 0.8794 \\ \pm \ 0.01 \end{array}$	$\substack{0.9647\\\pm\ 0.01}$	0.8168 ± 0.02	$\substack{0.8210\\\pm0.05}$	$\begin{array}{c} 0.9446 \\ \pm \ 0.01 \end{array}$	${0.8385 \atop \pm 0.01}$	$\substack{0.8668\\\pm\ 0.03}$	$\substack{0.9617\\\pm0.01}$	0.8448 ± 0.01	$\substack{0.8631\\\pm0.02}$	$\substack{0.9596\\\pm\ 0.01}$	${0.8380 \atop \pm 0.01}$	$\substack{0.8576\\\pm\ 0.01}$	$\begin{array}{c} 0.9576 \\ \pm \ 0.01 \end{array}$
COME	0.8660 ± 0.01	$\substack{0.8983\\\pm0.01}$	$\begin{array}{c} 0.9716 \\ \pm \ 0.01 \end{array}$	0.8391 ± 0.02	$\substack{0.8502\\\pm0.05}$	$\begin{array}{c} 0.9568 \\ \pm \ 0.02 \end{array}$	0.8528 ± 0.02	$\substack{0.8781\\\pm0.03}$	$\begin{array}{c} 0.9654 \\ \pm \ 0.01 \end{array}$	0.8622 ± 0.01	$\substack{0.8812\\\pm0.02}$	$\substack{0.9665\\\pm\ 0.01}$	0.855 ± 0.01	$\substack{0.877\\\pm0.02}$	$\substack{0.9651\\\pm\ 0.01}$
$\mathbb{T}^2\mathbb{A}$ (Ours)	0.8745 ± 0.01	0.9044 ± 0.02	0.9733 ± 0.01	0.8437 ± 0.03	0.8519 ± 0.05	0.9566 ± 0.01	0.8502 ± 0.02	0.8840 ± 0.02	0.9681 ± 0.01	0.8642 ± 0.01	0.8847 ± 0.02	0.9676 ± 0.01	0.8582 ± 0.01	0.8813 ± 0.01	0.9664 ± 0.01

Table 2: Comparison with state-of-the-art TTA methods under the unknown data distributions and postprocessing techniques scenario across 6 deepfake datasets. Bold values denote the best performance for each metric.

Mehtod	CelebDF-v1		CelebDF-v2		DFD			FSh			DFDCP			UADFV				
Mentou	ACC	AUC	AP	ACC	AUC	AP	ACC	AUC	AP	ACC	AUC	AP	ACC	AUC	AP	ACC	AUC	AP
Source	0.6171	0.5730	0.6797	0.6621	0.6118	0.7337	0.8337	0.5570	0.8891	0.5370	0.5587	0.5480	0.6737	0.6553	0.7598	0.6316	0.7109	0.6443
TENT	0.6334	0.6166	0.7028	0.6370	0.6327	0.7475	0.7631	0.6409	0.9258	0.5285	0.5586	0.5540	0.7213	0.6990	0.7763	0.6625	0.7330	0.6674
MEMO	0.6456	0.6216	0.7003	0.6679	0.5937	0.7171	0.8798	0.5884	0.9148	0.5107	0.5619	0.5408	0.7000	0.6892	0.7466	0.6337	0.7295	0.6653
EATA	0.6313	0.6165	0.7029	0.6389	0.6330	0.7474	0.7579	0.6438	0.9276	0.5307	0.5583	0.5532	0.7245	0.7004	0.7758	0.6604	0.7330	0.6685
CoTTA	0.6354	0.6280	0.6975	0.6602	0.6189	0.7380	0.8757	0.6068	0.9222	0.5292	0.5661	0.5528	0.6934	0.6524	0.7384	0.6316	0.7210	0.6532
LAME	0.6211	0.5901	0.6733	0.6505	0.5914	0.7033	0.8935	0.5724	0.9091	0.5007	0.5307	0.5174	0.6475	0.5988	0.6996	0.5102	0.676	0.6284
VIDA	0.6374	0.6057	0.6683	0.6756	0.5589	0.6849	0.8810	0.5948	0.9230	0.5192	0.5285	0.5337	0.6770	0.6925	0.7692	0.6090	0.6972	0.6149
COME	0.6334	0.6162	0.7041	0.6389	0.6327	0.7465	0.7573	0.6451	0.9286	0.5292	0.5585	0.5537	0.7262	0.7013	0.7764	0.6625	0.7317	0.6674
${\mathbb{T}^2}_{(Ours)}$	0.6700	0.6748	0.7299	0.6718	0.6430	0.7565	0.7594	0.6438	0.9279	0.5370	0.5728	0.5657	0.7327	0.7320	0.7774	0.6830	0.7623	0.7117

Table 3: Improvement of deepfake detectors to unknown postprocessing techniques. All these methods undergo five levels of intensity of postprocessing techniques.

Mathad	C	Color Contrast			Color Saturation			Resize			Gaussian Blu	ır	Average		
Method	ACC	AUC	AP	ACC	AUC	AP	ACC	AUC	AP	ACC	AUC	AP	ACC	AUC	AP
CORE	0.8154 ± 0.02	0.8245 ± 0.04	$0.9349 \\ \pm 0.02$	0.8237 ± 0.03	0.8067 ± 0.06	0.9395 ± 0.02	0.8360 ± 0.02	0.8628 ± 0.03	0.9598 ± 0.01	0.8334 ± 0.02	0.8265 ± 0.05	0.9409 ± 0.02	0.8271 ± 0.01	$\substack{0.830\\\pm0.02}$	$\begin{array}{c} 0.9438 \\ \pm \ 0.01 \end{array}$
$CORE + T^2 A$	0.8605 ± 0.01	$\begin{array}{c} 0.8744 \\ \pm \ 0.02 \end{array}$	$\begin{array}{c} 0.9604 \\ \pm \ 0.01 \end{array}$	0.8414 ± 0.02	$\begin{array}{c} 0.8497 \\ \pm \ 0.04 \end{array}$	$\begin{array}{c} 0.9447 \\ \pm \ 0.01 \end{array}$	0.8425 ± 0.01	$\begin{array}{c} 0.8897 \\ \pm \ 0.03 \end{array}$	$\begin{array}{c} 0.9511 \\ \pm \ 0.01 \end{array}$	$0.849 \\ \pm 0.01$	$\begin{array}{c} 0.8662 \\ \pm \ 0.02 \end{array}$	$\begin{array}{c} 0.9539 \\ \pm \ 0.01 \end{array}$	0.8491 ± 0.01	$\begin{array}{c} 0.8725 \\ \pm \ 0.02 \end{array}$	$\begin{array}{c} 0.9525 \\ \pm \ 0.01 \end{array}$
Effi.B4	0.6980 ± 0.07	$\substack{0.8464\\\pm0.04}$	$\substack{0.9531\\\pm0.01}$	$0.8491 \\ \pm 0.02$	0.7973 ± 0.07	0.9262 ± 0.03	0.8314 ± 0.02	$\substack{0.8458\\\pm0.04}$	0.9526 ± 0.01	${0.8380 \atop \pm 0.02}$	0.7929 ± 0.06	0.9286 ± 0.03	${0.8041 \atop \pm 0.02}$	$\substack{0.8206\\\pm0.02}$	0.9401 ± 0.01
Effi.B4 + T^2A	0.8531 ± 0.02	$\begin{array}{c} 0.8638 \\ \pm \ 0.02 \end{array}$	$\begin{array}{c} 0.9542 \\ \pm \ 0.01 \end{array}$	$ \begin{array}{c} 0.8271 \\ \pm 0.03 \end{array} $	$\begin{array}{c} 0.8311 \\ \pm \ 0.05 \end{array}$	$\begin{array}{c} 0.9372 \\ \pm \ 0.02 \end{array}$	$0.8302 \\ \pm 0.02$	$\begin{array}{c} 0.8355 \\ \pm \ 0.04 \end{array}$	$\begin{array}{c} 0.9485 \\ \pm \ 0.01 \end{array}$	0.8442 ± 0.01	$\begin{array}{c} 0.8670 \\ \pm \ 0.03 \end{array}$	$\begin{array}{c} 0.9515 \\ \pm \ 0.01 \end{array}$	0.8382 ± 0.01	$\begin{array}{c} 0.8592 \\ \pm \ 0.02 \end{array}$	$\begin{array}{c} 0.9478 \\ \pm \ 0.01 \end{array}$
F3Net	${0.8037 \atop \pm 0.03}$	${0.8306 \atop \pm 0.05}$	$\begin{array}{c} 0.9438 \\ \pm \ 0.02 \end{array}$	${}^{0.8542}_{\pm \ 0.02}$	0.8196 ± 0.07	0.9413 ± 0.02	0.8551 ± 0.03	$\substack{0.8681\\\pm0.03}$	0.9575 ± 0.01	${0.8360 \atop \pm 0.02}$	${0.8136 \atop \pm 0.05}$	$\begin{array}{c} 0.9374 \\ \pm \ 0.02 \end{array}$	0.8284 ± 0.01	${0.8387 \atop \pm 0.02}$	0.9491 ± 0.01
F3Net + T^2A	0.8605 ± 0.01	0.8879 ± 0.02	$\begin{array}{c} 0.9641 \\ \pm \ 0.01 \end{array}$	0.8617 ± 0.02	$\begin{array}{c} 0.8737 \\ \pm \ 0.04 \end{array}$	$0.9599 \\ \pm 0.02$	0.8142 ± 0.01	$\begin{array}{c} 0.8723 \\ \pm \ 0.03 \end{array}$	$\begin{array}{c} 0.9632 \\ \pm \ 0.01 \end{array}$	0.8417 ± 0.02	$\begin{array}{c} 0.8489 \\ \pm \ 0.02 \end{array}$	$\begin{array}{c} 0.9524 \\ \pm \ 0.01 \end{array}$	0.8547 ± 0.01	$\begin{array}{c} 0.8776 \\ \pm \ 0.01 \end{array}$	$\begin{array}{c} 0.9621 \\ \pm \ 0.01 \end{array}$
RECCE	${0.8080 \atop \pm 0.03}$	$\begin{array}{c} 0.8189 \\ \pm \ 0.04 \end{array}$	$\begin{array}{c} 0.9386 \\ \pm \ 0.02 \end{array}$	0.8348 ± 0.02	0.7915 ± 0.06	$\begin{array}{c} 0.9283 \\ \pm \ 0.02 \end{array}$	0.8137 ± 0.03	$\substack{0.8338\\\pm0.04}$	0.9484 ± 0.01	${0.8360 \atop \pm 0.02}$	$\substack{0.8136\\\pm0.04}$	0.9374 ± 0.01	${0.8231 \\ \pm 0.01}$	$\begin{array}{c} 0.8144 \\ \pm \ 0.02 \end{array}$	${0.9382 \atop \pm 0.01}$
RECCE + T^2A	0.8502 ± 0.01	0.8698 ± 0.02	$\begin{array}{c} 0.9587 \\ \pm \ 0.01 \end{array}$	0.8291 ± 0.02	$\begin{array}{c} 0.8432 \\ \pm \ 0.05 \end{array}$	0.9406 ± 0.02	0.8408 ± 0.01	$\begin{array}{c} 0.8426 \\ \pm \ 0.03 \end{array}$	0.9495 ± 0.01	0.8417 ± 0.01	$0.8689 \\ \pm 0.02$	$\begin{array}{c} 0.9524 \\ \pm \ 0.01 \end{array}$	0.8405 ± 0.01	$\begin{array}{c} 0.8561 \\ \pm \ 0.01 \end{array}$	$\begin{array}{c} 0.9503 \\ \pm \ 0.01 \end{array}$

Baselines

For TTA, we compare our $\mathbb{T}^2\mathbb{A}$ method with SOTA methods, including TENT [Wang *et al.*, 2020], MEMO [Zhang *et al.*, 2022], EATA [Niu *et al.*, 2022], CoTTA [Wang *et al.*, 2022], LAME [Boudiaf *et al.*, 2022], ViDA [Liu *et al.*, 2023a], and

COME [Zhang *et al.*, 2024]. For DF detection, we employ the following DF detectors: EfficientNetB4 [Tan and Le, 2019], F3Net [Qian *et al.*, 2020], CORE [Ni *et al.*, 2022], RECCE [Cao *et al.*, 2022]. Details for these baselines are provided in Appendix C.

Table 4: Improvement of deepfake detectors to unknown data distributions and postprocessing techniques across six Deepfake datasets.

Mathad	CelebDF-v1		CelebDF-v2		DFD			FSh			DFDCP			UADFV				
Method	ACC	AUC	AP	ACC	AUC	AP	ACC	AUC	AP	ACC	AUC	AP	ACC	AUC	AP	ACC	AUC	AP
CORE	0.6517	0.6828	0.7837	0.6467	0.6268	0.7527	0.8515	0.5319	0.8962	0.5050	0.5216	0.5151	0.7016	0.6465	0.7513	0.6090	0.7481	0.7331
$CORE + T^2A$	0.6558	0.6883	0.7599	0.7162	0.6571	0.7576	0.7946	0.6292	0.9291	0.5200	0.5103	0.4985	0.6721	0.6611	0.7565	0.6337	0.7805	0.7692
Effi.B4	0.6313	0.6613	0.7202	0.6428	0.5489	0.6556	0.8743	0.6310	0.9282	0.5292	0.5737	0.5504	0.6344	0.5023	0.6438	0.5576	0.6791	0.6363
Effi.B4 + T^2A	0.6415	0.6659	0.7542	0.6351	0.4347	0.7312	0.8259	0.6892	0.9452	0.5450	0.5944	0.5598	0.6475	0.5824	0.7040	0.6152	0.7107	0.6622
F3Net	0.6252	0.6541	0.7614	0.6563	0.6604	0.7681	0.8547	0.5507	0.9012	0.5228	0.5448	0.5644	0.6688	0.6528	0.7443	0.5843	0.7146	0.6866
F3Net + T^2A	0.6517	0.6655	0.7531	0.6602	0.6409	0.7283	0.7500	0.6097	0.9244	0.5128	0.5569	0.5647	0.6803	0.6961	0.7831	0.6563	0.7447	0.6877
RECCE	0.5804	0.5689	0.6804	0.6776	0.6175	0.7531	0.8177	0.6256	0.9356	0.5235	0.5367	0.5275	0.6672	0.6358	0.7333	0.6522	0.7194	0.6778
RECCE + T^2A	0.6578	0.6508	0.7233	0.6718	0.6725	0.7783	0.7296	0.6521	0.9346	0.5321	0.5512	0.5593	0.7032	0.7184	0.7949	0.7119	0.7910	0.7370

Implementation

For adaptation, we use Adam optimizer with learning rate $\eta = 1e - 4$, batch size of 32. Other hyperparameters including loss balancing ones α, β and gradient masking threshold ψ are selected by a grid-search manner from defined values in Table 5. The γ hyperparameter in Eq. 13 is set to 2.0. Details about these hyperparameters are provided in SAppendix C.2.

5.2 Experimental Results

We design the experiments to assess the effectiveness of our method under two real-world scenarios: (i) unknown postprocessing techniques, and (ii) both unknown data distributions and postprocessing techniques. The primary distinction between these scenarios lies in the underlying data distribution assumptions. In the first scenario, we assume that test samples are drawn from a distribution similar to the training data and focus specifically on evaluating our method's resilience when adversaries intentionally employ unknown postprocessing techniques. The second scenario presents a more challenging setting where test samples stem from unknown distributions, allowing us to evaluate not only the method's resilience to postprocessing techniques but also its broader generalization across different data domains.

Comparison with SoTA TTA Approaches

We compare our T^2A method with existing TTA approaches, with results presented in Table 1 and Table 2. Table 1 reports results when tested with unknown postprocessing techniques. Each technique is tested across five intensity levels, with the results showing averaged performance metrics. Detailed results for individual intensity levels are provided in Appendix D. The Average column denotes the mean across all postprocessing techniques, providing a holistic view of adaptation capability. We test our method and other TTA approaches on FF++ samples exposed to unseen postprocessing operations. From Table 1, we can observe that our method outperforms existing TTA approaches. On average, T^2A improves the source DF detector by 2.93% on AUC. For the more challenging scenario - unknown data distributions and postprocessing techniques, Table 2 shows that T^2A achieves SoTA results on 5 out of 6 datasets, including CelebDF-1, CelebDF-2, FSh, DFDCP, and UADFV, and the second-best result on DFD dataset. Note that postprocessing techniques used in this experiment are unseen during the training process of the source model.

Adaptability Improvement over Deepfake Detectors

To further demonstrate the effectiveness of our T^2A method, we evaluate its capability to enhance the adaptability of DF detectors. We test the performance of DF detectors with and without the T^2A method under two scenarios. For the first scenario, Table 3 indicates that: When integrated with T^2A , the performance of DF detectors measured by AUC is significantly improved, enhancing the resilience of these detectors against unseen postprocessing techniques. Particularly, our method shows substantial improvements of 4.25% for CORE, 3.86% for EfficientNet-B4, 3.89% for F3Net, and 4.17% for RECCE. Under the more challenging scenario, Table 4 presents results that T^2A consistently enhances the generalization capability of DF detectors over unseen data distributions while maintaining robustness against postprocessing manipulations. For example, on the real-world DF benchmark DFDCP, our method improves the performance of RECCE to 8.26%, EfficientNet-B4 to 8%, F3Net to 4.33%, and CORE to 1.46%.

6 Conclusion

In this work, we introduce T^2A , which improves the adaptability of DF detectors across two challenging scenarios: unknown postprocessing techniques and data distributions during inference time. Instead of solely relying on EM, T^2A enables the model to explore alternative options before decision-making through NL with noisy pseudo-labels. We also provide a theoretical analysis to demonstrate that the proposed objective exhibits complementary behavior to EM. Through experiments, we show that T^2A achieves higher adaptation performance compared to SoTA TTA approaches. Furthermore, when integrated with T^2A , the resilience and generalization of DF detectors can be significantly improved without requiring additional training data or architectural modifications, making it particularly valuable for real-world deployments. However, since our method is based on backpropagation for updating parameters at inference time, it only works with end-to-end DF detectors that allow gradient flow throughout the model.

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Appendix for "Think Twice before Adaptation: Improving Adaptability of DeepFake Detection via Online Test-Time Adaptation"

A Proofs

Proof for Theorem 4.1

Proof. Given a binary classification model $f : \mathcal{X} \to \mathbb{R}^2$ that produces a probability prediction 0 for a sample x, with <math>1 - p = p(y = 0|x) representing the prediction probability of the other class. Let \hat{y} denote the pseudo-label as defined in Eq. 8. We begin by defining two key quantities:

Definition A.1. The entropy of prediction in the binary classification is defined as:

$$H(x) = -\hat{y}(x) * \log(p) - (-1 - \hat{y}) * \log(1 - p)$$
 (16)

Definition A.2. The normalized cross-entropy loss is defined as:

$$NCE(x) = \frac{H(x)}{-\log(p) - \log(1-p)}$$
 (17)

Let $c = -\log(p) - \log(1-p)$ and suppose that c is a positive constant. We can establish the following equivalence:

$$H(x) = c * NCE(x) \tag{18}$$

Partial derivative of H(x) with respect to x_i , i = 1, ..., n:

$$\frac{\partial H(x)}{\partial x_i} = \frac{\partial}{\partial x_i} [-\hat{y}(x)\log(p) - (1-\hat{y})\log(1-p)] \quad (19)$$

$$= -\frac{\partial \hat{y}(x)}{\partial x_i} \log(p) + \frac{\partial \hat{y}(x)}{\partial x_i} \log(1-p)$$
(20)

$$= -\frac{\partial \hat{y}(x)}{\partial x_i} [\log(p) - \log(1-p)]$$
(21)

$$= -\frac{\partial \hat{y}(x)}{\partial x_i} \log\left(\frac{p}{1-p}\right)$$
(22)

Partial derivative of NCE(x) with respect to x_i , $i = 1, \ldots, n$:

$$\frac{\partial NCE(x)}{\partial x_i} = \frac{\partial}{\partial x_i} \left(\frac{H(x)}{c}\right)$$
(23)

$$=\frac{1}{c} \cdot \frac{\partial H(x)}{\partial x_i} \tag{24}$$

$$= -\frac{1}{c} \cdot \frac{\partial \hat{y}(x)}{\partial x_i} \log\left(\frac{p}{1-p}\right)$$
(25)

We have:

$$\frac{\partial H(x)}{\partial x_i} = 0 \iff -\frac{\partial \hat{y}(x)}{\partial x_i} \log\left(\frac{p}{1-p}\right) = 0$$
(26)

$$\iff c \cdot \left(-\frac{1}{c} \cdot \frac{\partial \hat{y}(x)}{\partial x_i} \log\left(\frac{p}{1-p}\right) \right) = 0$$
(27)

$$\iff c \cdot \frac{\partial NCE(x)}{\partial x_i} = 0 \tag{28}$$

$$\implies \frac{\partial NCE(x)}{\partial x_i} = 0 \tag{29}$$

The last equivalence holds because c is positive. Therefore, for all i = 1, ..., n:

$$\frac{\partial H(x)}{\partial x_i} = 0 \iff \frac{\partial NCE(x)}{\partial x_i} = 0 \tag{30}$$

This equivalence proves that the partial derivatives of both H(x) and NCE(x) vanish at the same points. Since c is positive, H(x) has a local extremum if and only if NCE(x) has a local extremum at the same point x^* .

Proof for Lemma 3.2

- (

We need Definition 3.1 to prove the Lemma 3.2.

Note that, for simplification, in this proof, we assume that x_1 and x_2 have the same size $M \times N$.

Proof. The spatial domain convolution of two images is given by:

$$(x_1 \circledast x_2)(m.n) = \frac{1}{MN} \sum_{k=0}^{M-1} \sum_{l=0}^{N-1} x_1(k,l) x_2(m-k,n-l)$$
(31)

Take the Fourier transform of Eq. 31, we obtain:

$$\mathcal{F}\{x_1 \otimes x_2\} = \\ \sum_{m=0}^{M-1} \sum_{n=0}^{N-1} \left[\sum_{k=0}^{M-1} \sum_{l=0}^{N-1} x_1(k,l) x_2(m-k,n-l) \right] e^{-j2\pi \left(\frac{um}{M} + \frac{vn}{N}\right)} \\ \sum_{k=0}^{M-1} \sum_{l=0}^{N-1} x_1(k,l) \left[\sum_{m=0}^{M-1} \sum_{n=0}^{N-1} x_2(m-k,n-l) e^{-j2\pi \left(\frac{um}{M} + \frac{vn}{N}\right)} \right]$$
(32)

After change of variables p = m - k, q = n - l and substitution:

$$\mathcal{F}\{x_1 \otimes x_2\} = \sum_{k=0}^{M-1} \sum_{l=0}^{N-1} x_1(k,l) \left[\sum_{p=0}^{M-1} \sum_{q=0}^{N-1} x_2(p,q) e^{-j2\pi (\frac{u(p+k)}{M} + \frac{v(q+l)}{N})} \right]$$
$$= \sum_{k=0}^{M-1} \sum_{l=0}^{N-1} x_1(k,l) e^{-j2\pi (\frac{uk}{M} + \frac{vl}{N})}$$
$$\cdot \left[\sum_{p=0}^{M-1} \sum_{q=0}^{N-1} x_2(p,q) e^{-j2\pi (\frac{up}{M} + \frac{vq}{N})} \right]$$
(33)

By definition of the 2D-DFT 3.1, we can recognize:

$$\begin{cases} \sum_{k=0}^{M-1} \sum_{l=0}^{N-1} x_1(k,l) e^{-j2\pi(\frac{uk}{M} + \frac{vl}{N})} = X_1(u,v) \\ \sum_{p=0}^{M-1} \sum_{q=0}^{N-1} x_2(p,q) e^{-j2\pi(\frac{up}{M} + \frac{vq}{N})} = X_2(u,v) \end{cases}$$
(34)

Therefore:

$$\mathcal{F}\{x_1 \otimes x_2\} = X_1(u, v) \cdot X_2(u, v) \tag{35}$$



Figure 2: Resilience capability comparisons of different DF detectors and our method under various unknown postprocessing techniques, including color saturation, color contrast, downsampling, and Gaussian blurring. The results are aggregated across five intensity levels. All these methods undergo 5 levels of intensity of postprocessing techniques.



Figure 3: Visualization of frequency domain artifacts in DF images generated by StarGANv2 under varying postprocessing operations. The heatmaps illustrate the spectral signatures across five intensity levels for four different postprocessing techniques: Gaussian blur, resize, color contrast, and color saturation.

B More Experiments of Generation Artifacts

Figure 3 illustrates frequency spectra of the fake sample generated by StarGAN2. This fake sample is applied by 4 types of postprocessing operations, with the intensity level increasing from 1 to 5. Figure 2 shows the performance degradation of DF detectors under different types of postprocessing techniques across 5 intensity levels. Note that, in this experimental evaluation, both training and test samples are drawn from the same underlying data distribution (FaceForensics++ [Rossler *et al.*, 2019]), and only postprocessing operations are unseen during the testing phase.

C Experimental Details

C.1 Datasets

Training dataset.

We use FF++ [Rossler *et al.*, 2019] for training the source model (Xception) and other DF detectors. In this dataset, real videos collected from YouTube, which are then used to generate fake videos through four DF methods, including Deep-Fake, Face2Face, FaceSwap, and NeuralTexture. FF++ contains a total of 5000 videos, of which 1000 videos are sourced from YouTube.

Test datasets.

To evaluate the adaptability of our T^2A method, we use six datasets at the inference time, including:

- CelebDF-v1 and CelebDF-v2 [Li *et al.*, 2020b]: contain 998 real videos collected from 59 celebrities and 6434 fake videos improved by using techniques, such as higher resolution synthesis, color mismatch reduction, improved face mask, temporal flickering reduction. Videos in CelebDF datasets are variations in face sizes, orientations, lighting condiitons and backgrounds.
- DeepFakeDetection (DFD) [Google, 2019]: includes 363 real videos and 3000 fake videos.
- DeepFake Detection Challenge Preview (DFDCP) [Dolhansky, 2019]: consists of 1131 real videos of 66 individuals total and 4119 fake videos generated by multiple synthesis methods. Videos include varied lighting conditions, head poses, and backgrounds.
- UADFV [Li *et al.*, 2018] which is composed of 98 real and fake videos from 49 different identities. This dataset mainly focuses on blinking, assisting in DF detection through physiological signals.
- FaceShifter (FSh) [Li *et al.*, 2020a]: includes a total of 2000 real and fake videos.

The image size of training and test samples are 256×256 unless using Resize postprocessing (described in Sec. C.2). During the testing phase, individual frames extracted from these videos serve as our evaluation data. We use test sets of these datasets provided by [Yan *et al.*, 2023].

C.2 Intensity Levels of Postprocessing Techniques

In practice, both authentic and manipulated images frequently undergo various postprocessing operations. For real-world DF detection requirements, resilience to unknown postprocessing techniques is crucial. Following [Chen *et al.*, 2022], we evaluate detector robustness across four fundamental postprocessing operations: Gaussian blur, resize, color saturation, and color contrast. For each operation, we implement five intensity levels based on standard corruption benchmarking practices [Hendrycks and Dietterich, 2019]. Figure 6 shows an example of the five intensity levels of four types of postprocessing techniques.

Regarding Gaussian blur operation, we employ progressively larger kernel sizes: 5×5 , 9×9 , 13×13 , 17×17 , and 21×21 (levels 1 - 5, respectively). Each larger kernel size produces a progressively stronger blurring effect on the image. For the resize operation, we first downsample to a smaller resolution and then upsample back to 256×256 , creating progressively stronger image quality degradation as more pixel information is lost at lower intermediate resolutions. For each intensity level, the intermediate resolution is: 128, 85, 64, 51, and 41, respectively.

To manipulate color saturation across 5 intensity levels, we convert the image from BGR to YCbCr color space, where Y represents luminance and Cb/Cr represents chrominance components, then a saturation factor i (each intensity level) is applied to linearly push Cb and Cr values c away from the center point (128) while preserving Y (luminance) by the transformation as follows: c := 128 + (c - 128) * i.

For color contrast operation, we modify image contrast across 5 intensity levels by manipulating pixel values around their mean while applying channel-wise enhancements. In particular, for intensity *i*, the pixel value *c* will be updated as follows: $c := \mathbb{E}_c + (c - \mathbb{E}_c)i$. Then, the pixel values will be clipped to the range of [0, 255] to preserve brightness.

C.3 Implementation Details

TTA baselines

For all TTA approaches, TENT [Wang *et al.*, 2020], MEMO [Zhang *et al.*, 2022], EATA [Niu *et al.*, 2022], CoTTA [Wang *et al.*, 2022], LAME [Boudiaf *et al.*, 2022], ViDA [Liu *et al.*, 2023a], and COME [Zhang *et al.*, 2024], we follow all hyperparameters that are set in their Github unless it does not provide.

DF Detection baselines

Since the pre-trained models of EfficientNetB4 [Tan and Le, 2019], F3Net [Qian *et al.*, 2020], CORE [Ni *et al.*, 2022], and RECCE [Cao *et al.*, 2022] are not provided, we use that provided by [Yan *et al.*, 2023].

Hyperparameters

Table 5 provides hyperparameters details.

Table 5: Hyperparameters.

Hyperparameter	Values
α	$\{1.0, 2.0\}$
eta	$\{1.0, 2.0\}$
ψ	$\{0.01, 0.1\}$



(a) Normalized loss with pseudo label $\mathcal{L}_{norm}(x, \hat{y})$ and noisy pseudo-label $\mathcal{L}_{nn}(x, \tilde{y})$. $\mathcal{L}_{nn}(x, \tilde{y})$ is the opposite of $\mathcal{L}_{norm}(x, \hat{y})$.



(b) Passive loss function with pseudo label $\mathcal{L}_p(x, \hat{y})$ and noisy pseudo-label $\mathcal{L}_p(x, \tilde{y})$. $\mathcal{L}_p(x, \tilde{y})$ is the opposite of $\mathcal{L}_p(x, \hat{y})$.



(c) Noise-tolerant negative loss (NTNL) functions with pseudo label $\mathcal{L}_{NTNL}(x, \hat{y})$ and noisy-pseudo label $\mathcal{L}_{NTNL}(x, \tilde{y})$. $\mathcal{L}_{NTNL}(x, \tilde{y})$ is the opposite of $\mathcal{L}_{NTNL}(x, \hat{y})$.

Figure 4: Comparison of different loss functions against entropy minimization. Each plot demonstrates how the proposed loss functions exhibit complementary behavior to entropy minimization across different prediction probabilities.

Table 6	: Effect	tiveness c	of comp	onents in	T^2A	method	on FF++
dataset.	The rest	ults are av	eraged a	cross 4 p	ostprod	cessing t	echniques
with 5 i	ntensity	levels.					
	Using	Using	Using	Gradients	AC	C AUC	AP

	\mathcal{L}_{EM}	\mathcal{L}_{nn}	\mathcal{L}_p	masking	ACC	AUC	AP
T ² A	1				$0.8491 \\ \pm \\ 0.01$	$0.8542 \\ \pm \\ 0.02$	$0.9570 \\ \pm \\ 0.01$
T ² A	1	1			$0.8472 \\ \pm \\ 0.01$	$0.8580 \\ \pm \\ 0.02$	$0.9583 \\ \pm \\ 0.01$
T ² A	1		1		$0.8490 \\ \pm \\ 0.01$	$0.8542 \\ \pm \\ 0.02$	$0.9570 \\ \pm \\ 0.01$
T ² A	1	1	1		$0.8394 \\ \pm \\ 0.01$	$0.8646 \\ \pm \\ 0.01$	$0.9617 \\ \pm \\ 0.01$
T ² A	1	1	1	1	$0.8582 \\ \pm \\ 0.01$	$0.8813 \\ \pm \\ 0.01$	$0.9664 \\ \pm \\ 0.01$

D More Experimental Results

D.1 Ablation Study

Analysis on Components of T²A method

Our method consists of three main components: 1) Entropy Minimization (EM) loss, 2) Noise-tolerant negative loss (NTNL), and 3) Gradients masking. We ablate them in Table 6. Compared with the EM loss, our proposed method (5-th row) achieves better performance across three metrics. This validates our motivation that some overconfident samples (i.e., optimized by EM) hurt the performance of the model during adaptation. We also evaluate the impact of the normalized negative loss \mathcal{L}_{nn} and the passive loss \mathcal{L}_p on the adaptation performance of the model.

Analysis on Proposed Loss Functions

We provide an analysis of our proposed loss functions in comparison with EM, demonstrating their complementary behavior. Figure 4 illustrates three variants of our negative learning



Figure 5: Average running time per iteration of TTA methods.

approach and their relationships with EM across the probability range [0, 1]. The figure shows that three variants of loss functions with noisy pseudo-labels (green line) exhibit opposing behavior with the EM (blue line).

D.2 Full results of comparison with SoTA TTA methods under unknown postprocessing techniques

In Table 7, we provide more results to compare our T^2A method with SoTA TTA approaches on FF++ with the intensity level from 1 to 5. Although the source model achieves better performance at the lowest intensity level (level 1) for color contrast and color saturation operations, our method exhibits consistently better adaptation performance as the intensity of postprocessing increases. Across all four postprocessing types, T2A generally outperforms existing TTA approaches across all three evaluation metrics, demonstrating particular resilience to more aggressive postprocessing manipulations.



(d) Color Saturation

Figure 6: Four postprocessing operation types across five intensity levels.

D.3 Full results of improvements of DF detectors under unknown postprocessing techniques

Table 8 shows more results about improvement of DF detectors under unknown postprocessing techniques scenario with the intensity level 1-5. THe table shows that our method can improve the adaptation performance of DF detectors across intensity levels of postprocessing techniques.

D.4 Wall-clock running time of T^2A

We report the running time per iteration of TTA methods. Figure 5 compares the running time of our method and other TTA approaches. Experiments on the DFDCP dataset, performed using an NVIDIA RTX 4090 GPU. Our T^2A method achieves superior adaptation performance (73.2% AUC) within 0.5*s* per iteration. EATA, COME, and TENT demonstrate comparable execution times (approximately 0.26s) but with lower performance (70.04%, 70.13%, and 69.9% AUC, respectively). While LAME achieves the fastest execution (0.07s), it shows significantly degraded performance (59.88% AUC). Conversely, methods employing extensive augmentation during adaptation—MEMO (0.66s), VIDA (0.83s), and CoTTA (2.23s) — incur substantially higher computational costs. Note that, TENT, EATA, COME, LAME achieve running efficiency due to the adaptation being applied to BN layers only. This shows that our method achieves an effective balance between computational efficiency and adaptation performance.

Table 7: Comparison with state-of-the-art TTA methods on FF++ with different postprocessing techniques from intensity level from 1 to 5. The bold number indicates the best result.

Mathod	Color Contrast Color Saturatio		on	n Resize				Gaussian Blu	ır	Average					
Method	ACC	AUC	AP	ACC	AUC	AP	ACC	AUC	AP	ACC	AUC	AP	ACC	AUC	AP
							Intensity lev	el = 1							
Source	0.9171	0.9604	0.9902	0.9214	0.9602	0.9901	0.9042	0.9469	0.9867	0.9028	0.9481	0.9869	0.9114	0.9539	0.9884
TENT	0.9100	0.9556	0.9887	0.8914	0.9468	0.9859	0.9042	0.9456	0.9828	0.9042	0.9488	0.9868	0.9024	0.9492	0.9860
MEMO	0.8657	0.9307	0.9824	0.8657	0.9284	0.9815	0.8585	0.9285	0.9812	0.8557	0.9281	0.9814	0.8614	0.9289	0.9816
EATA	0.9100	0.9558	0.9887	0.9085	0.9550	0.9888	0.9071	0.9415	0.9827	0.9042	0.9489	0.9868	0.9074	0.9503	0.9867
CoTTA	0.8928	0.9447	0.9863	0.8942	0.9437	0.9858	0.8885	0.9310	0.9823	0.8885	0.9333	0.9830	0.8910	0.9381	0.9843
LAME	0.8171	0.9134	0.9668	0.8185	0.9164	0.9684	0.8071	0.8874	0.9557	0.8157	0.9012	0.9624	0.8146	0.9046	0.9633
VIDA	0.8771	0.9330	0.9827	0.8771	0.9324	0.9826	0.8828	0.9309	0.9823	0.8785	0.9315	0.9824	0.8789	0.9319	0.9825
COME	0.9000	0.9536	0.9885	0.9071	0.9524	0.9882	0.8985	0.9453	0.9862	0.8971	0.9455	0.9863	0.9007	0.9492	0.9873
$\mathbb{T}^2\mathbb{A}(\text{Ours})$	0.9128	0.9562	0.9888	0.9100	0.9559	0.9888	0.9071	0.9485	0.9867	0.9071	0.9588	0.9888	0.9092	0.9549	0.9882
							Intensity lev	el = 2							
Source	0.8600	0.9233	0.9794	0.8900	0.9381	0.9840	0.8671	0.9165	0.9789	0.8757	0.9169	0.9788	0.8732	0.9217	0.9803
TENT	0.8928	0.9150	0.9700	0.9000	0.9453	0.9861	0.8728	0.9206	0.9795	0.8842	0.9241	0.9807	0.8873	0.9267	0.9775
MEMO	0.8342	0.8791	0.9662	0.8342	0.9021	0.9744	0.8400	0.8898	0.9706	0.8442	0.9019	0.9741	0.8382	0.8932	0.9713
EATA	0.8928	0.9151	0.9800	0.9000	0.9451	0.9861	0.8700	0.9208	0.9795	0.8842	0.9243	0.9808	0.8867	0.9274	0.9806
CoTTA	0.8785	0.9046	0.9749	0.8900	0.9359	0.9835	0.8714	0.9023	0.9748	0.8742	0.8996	0.9736	0.8785	0.9106	0.9767
LAME	0.8457	0.8873	0.9598	0.8128	0.8943	0.9603	0.8057	0.8113	0.9219	0.8042	0.8582	0.9457	0.8171	0.8628	0.9469
VIDA	0.8514	0.8912	0.9704	0.8585	0.9241	0.9801	0.8471	0.9055	0.9757	0.8685	0.9082	0.9757	0.8564	0.9072	0.9753
COME	0.8785	0.9108	0.9692	0.8900	0.9442	0.9862	0.8785	0.9173	0.9786	0.8828	0.9198	0.9791	0.8825	0.9235	0.9787
$\mathbb{T}^2\mathbb{A}(\text{Ours})$	0.8885	0.9251	0.9800	0.9042	0.9456	0.9862	0.8742	0.9256	0.9798	0.8871	0.9252	0.9810	0.8882	0.9321	0.9817
							Intensity lev	el = 3							
Source	0.7928	0.8683	0.9630	0.8214	0.8365	0.9467	0.8357	0.8800	0.9697	0.8271	0.8594	0.9609	0.8192	0.8610	0.9600
TENT	0.8728	0.8874	0.9723	0.8471	0.8652	0.9595	0.8500	0.8869	0.9637	0.8628	0.8758	0.9590	0.8581	0.8788	0.9636
MEMO	0.8200	0.8454	0.9572	0.8200	0.8476	0.9567	0.8300	0.8775	0.9681	0.8342	0.8672	0.9639	0.8260	0.8594	0.9614
EATA	0.8728	0.8876	0.9723	0.8457	0.8747	0.9594	0.8528	0.8875	0.9639	0.8628	0.8763	0.9592	0.8585	0.8815	0.9637
CoTTA	0.8514	0.8669	0.9628	0.8357	0.8552	0.9620	0.8528	0.8683	0.9651	0.8571	0.8696	0.9636	0.8492	0.8650	0.9634
LAME	0.8042	0.8455	0.9465	0.8042	0.7832	0.9199	0.8057	0.8167	0.9300	0.8042	0.7452	0.8993	0.8046	0.7977	0.9239
VIDA	0.8471	0.8757	0.9648	0.8285	0.8587	0.9630	0.8371	0.8781	0.9654	0.8400	0.8627	0.9605	0.8382	0.8688	0.9634
COME	0.8571	0.8897	0.9707	0.8514	0.8725	0.9686	0.8542	0.8862	0.9690	0.8657	0.8793	0.9662	0.8571	0.8819	0.9686
$\mathbb{T}^2 \mathbb{A}(\text{Ours})$	0.8728	0.8972	0.9723	0.8485	0.8865	0.9699	0.8514	0.8982	0.9740	0.8700	0.8862	0.9689	0.8607	0.8920	0.9713
							Intensity lev	el = 4							
Source	0.7142	0.8181	0.9502	0.6957	0.6909	0.9011	0.8200	0.8019	0.9411	0.8057	0.7876	0.9355	0.7589	0.7746	0.9319
TENT	0.8450	0.8836	0.9677	0.7971	0.7568	0.9316	0.8300	0.8372	0.9531	0.8428	0.8433	0.9481	0.8287	0.8302	0.9501
MEMO	0.8085	0.8306	0.9506	0.8085	0.7502	0.9250	0.8271	0.8171	0.9482	0.8228	0.8421	0.9535	0.8167	0.8100	0.9443
EATA	0.8442	0.8737	0.9579	0.7957	0.7658	0.9313	0.8285	0.8375	0.9532	0.8428	0.8437	0.9482	0.8278	0.8301	0.9426
CoTTA	0.8400	0.8352	0.9446	0.7585	0.7158	0.9151	0.8357	0.8323	0.9526	0.8257	0.8357	0.9522	0.8150	0.8048	0.9411
LAME	0.8042	0.7857	0.9296	0.8042	0.6464	0.8706	0.8042	0.8010	0.9306	0.8042	0.6581	0.8662	0.8042	0.7228	0.8993
VIDA	0.8528	0.8581	0.9573	0.7700	0.7173	0.9112	0.8257	0.8235	0.9456	0.8300	0.8287	0.9482	0.8196	0.8069	0.9406
COME	0.8485	0.8757	0.9657	0.7985	0.7618	0.9342	0.8271	0.8279	0.9428	0.8400	0.8514	0.9569	0.8285	0.8292	0.9424
T ² A (Ours)	0.8457	0.8838	0.9678	0.8042	0.7692	0.9426	0.8285	0.8376	0.9533	0.8414	0.8536	0.9579	0.8300	0.8360	0.9554
							Intensity lev	el = 5							
Source	0.6614	0.7780	0.9368	0.7085	0.6616	0.8841	0.6800	0.8003	0.9438	0.8042	0.6997	0.8995	0.7135	0.7349	0.9160
TENT	0.8514	0.8499	0.9475	0.7514	0.7020	0.9051	0.7971	0.8119	0.9470	0.8171	0.8067	0.9403	0.8042	0.7926	0.9349
MEMO	0.8157	0.8205	0.9450	0.8057	0.6936	0.9035	0.8185	0.7926	0.9417	0.8100	0.7988	0.9399	0.8125	0.7764	0.9325
EATA	0.8500	0.8500	0.9477	0.7514	0.7021	0.9052	0.7929	0.8052	0.9372	0.8185	0.8088	0.9433	0.8032	0.7915	0.9333
CoTTA	0.8114	0.8019	0.9295	0.7285	0.6772	0.8938	0.7742	0.7750	0.9340	0.8128	0.7939	0.9385	0.7817	0.7620	0.9239
LAME	0.6700	0.6607	0.8939	0.8042	0.5566	0.8287	0.7557	0.7404	0.9172	0.8042	0.5966	0.8438	0.7585	0.6385	0.8709
VIDA	0.8300	0.8391	0.9484	0.7500	0.6722	0.8860	0.800	0.7962	0.9395	0.8071	0.7843	0.9310	0.7967	0.7730	0.9262
COME	0.8457	0.8516	0.9540	0.7485	0.6980	0.9066	0.8057	0.8040	0.9405	0.8157	0.8098	0.9432	0.8039	0.7808	0.9260
T [∠] A (Ours)	0.8564	0.8601	0.9577	0.7557	0.7031	0.9054	0.7942	0.8150	0.9469	0.8257	0.8102	0.9440	0.8080	0.7971	0.9385

Intention ACC ACC ACC ACC AC	Mahad	Co	olor Saturat	ion	C	olor Contra	st	6	Gaussian Blu	ır		Resize			Average	rage				
Intensity level 1 CORE 1-7 CORE 1-7 CORE 1-7 0.9926 0.9926 0.9926 0.9926 0.9926 0.9926 0.9926 0.9926 0.9926 0.9926 0.9926 0.9926 0.9926 0.9926 0.9926 0.9926 0.9926 0.9926 0.9927 0.9926 0.9927 0.9926 0.9927 0.9927 0.9927 0.9927 0.9977 0.9977 0.9977 0.9977 0.9977 0.9977 0.9977 0.9977 0.9977 0.9977 0.9978 0.9978 0.9978 0.9977 0.9978 0.9978 0.9971 0.9971 0.9971 0.9971 0.9971 0.9971 <th colspa<="" td=""><td>Method</td><td>ACC</td><td>AUC</td><td>AP</td><td>ACC</td><td>AUC</td><td>AP</td><td>ACC</td><td>AUC</td><td>AP</td><td>ACC</td><td>AUC</td><td>AP</td><td>ACC</td><td>AUC</td><td>AP</td></th>	<td>Method</td> <td>ACC</td> <td>AUC</td> <td>AP</td>	Method	ACC	AUC	AP	ACC	AUC	AP	ACC	AUC	AP	ACC	AUC	AP	ACC	AUC	AP			
CORE 0.9000 0.9441 0.9857 0.9442 0.9423 0.9424 0.9426 0.9446 0.9476 0.9946 0.9444 0.9950 CORE 0.9900 0.9313 0.9714 0.9402 0.9213 0.9772 0.9442 0.9414 0.9412 0.9216 0.9910 0.9101 0.911 0.9310 0.9910 0.9910 0.911 0.9310 0.9910 0.911 0.9360 0.9571 0.9144 0.911 0.9360 0.9971 0.9444 0.9371 0.9814 0.9370 0.9871 0.9414 0.9370 0.9871 0.9414 0.9370 0.9871 0.9414 0.9370 0.9871 0.9414 0.9370 0.9871 0.9414 0.9370 0.9870 0.9811 0.9320 0.9817 0.9817 0.9817 0.9817 0.9817 0.9817 0.9817 0.9817 0.9817 0.9810 0.9817 0.9817 0.9817 0.9817 0.9810 0.9815 0.9817 0.9812 0.9810 0.9817 0.9817 0.9817							Ь	ntensity leve	l = 1											
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$	CORE	0.9000	0.9441	0.9852	0.8957	0.9444	0.9855	0.9042	0.9423	0.9846	0.9028	0.9426	0.9847	0.9006	0.9434	0.9850				
ESNet 0.9028 0.9629 0.9691 0.9114 0.9673 0.9573 0.9980 0.9002 0.9591 0.9021 PSNet = ² / ₂ 0.9071 0.9591 0.9592 0.9592 0.9570 0.9581 0.9226 0.9571 0.9481 0.9426 0.9571 0.9491 0.9435 0.9452 0.9452 0.9576 0.9571 0.9414 0.9570 0.9871 0.9222 0.9871 0.9226 0.9770 0.8711 0.9877 0.9811 0.9222 0.9871 0.9226 0.9771 0.8711 0.9871 0.9222 0.9871 0.9226 0.9871 0.9271 0.9700 0.8871 0.9227 0.9871 0.9271 0.9700 0.8811 0.9875 0.9102 0.9805 0.9871 0.9201 0.9811 0.9825 0.9871 0.9701 0.9771 0.9770 0.8771 0.9780 0.8871 0.9922 0.9805 0.9871 0.9301 0.9811 0.9825 0.9871 0.9910 0.9771 0.8771 0.9724 0.8781 0.9	$CORE + T^2 A$	0.8985	0.9313	0.9784	0.9042	0.9329	0.9794	0.8942	0.9203	0.9729	0.8942	0.9214	0.9742	0.8977	0.9265	0.9762				
	F3Net	0.9028	0.9629	0.9910	0.9114	0.9634	0.9911	0.8971	0.9570	0.9895	0.8900	0.9555	0.9891	0.9003	0.9597	0.9902				
$ \begin{array}{c} \mbox{RECCE} & 0.971 & 0.958 & 0.971 & 0.964 & 0.952 & 0.9875 & 0.971 & 0.942 & 0.975 & 0.982 & 0.975 & 0.943 & 0.995 \\ \mbox{RECLE} + 7^2 & 0.8871 & 0.956 & 0.982 & 0.8871 & 0.926 & 0.977 & 0.8871 & 0.922 & 0.977 & 0.891 & 0.941 & 0.940 $	F3Net + T^2 A	0.9071	0.9594	0.9900	0.9057	0.9607	0.9902	0.8942	0.9554	0.9891	0.9042	0.9523	0.9881	0.9028	0.9570	0.9894				
$ \begin{array}{c c c c c c c c c c c c c c c c c c c $	RECCE	0.8971	0.9508	0.9871	0.9042	0.9521	0.9875	0.8971	0.9349	0.9824	0.8914	0.9357	0.9829	0.8975	0.9434	0.9850				
EB. B4 0.9100 0.9495 0.9407 0.9407 0.9407 0.9401 0.9441 0.9457 0.9411 0.9472 0.9401 0.9472 0.9401 0.9472 0.9411 0.9472 0.9401 0.8871 0.9472 0.9401 0.8871 0.9472 0.9401 0.8875 0.9170 0.9270 0.9381 0.8875 0.9170 0.8657 0.9170 0.8657 0.9170 0.8557 0.9170 0.8557 0.9170 0.8557 0.9170 0.8557 0.9170 0.8557 0.9170 0.8557 0.9170 0.8557 0.9170 0.8557 0.9170 0.8557 0.9170 0.8557 0.9170 0.8571 0.9170 0.8557 0.9170 0.8557 0.9170 0.8571 0.9170 0.8571 0.9180 0.9180 0.9110 0.9171 0.8114 0.9010 0.9111 0.2114 0.9010 0.9171 0.8174 0.9421 0.8571 0.9170 0.8375 0.9120 0.9172 0.8175 0.9120 0.9171 0.8171 0.9171<	RECCE + T^2A	0.8971	0.9366	0.9825	0.8942	0.9368	0.9827	0.8871	0.9236	0.9779	0.8871	0.9242	0.9787	0.8914	0.9303	0.9805				
EB, B4 + T ² λ 0.8971 0.9931 0.9841 0.8914 0.8976 0.9871 0.9292 0.9813 0.8242 0.9805 0.9342 0.9826 CORE USEN USEN <td colspan="4" t<="" td="" usen<=""><td>Effi. B4</td><td>0.9100</td><td>0.9615</td><td>0.9905</td><td>0.9100</td><td>0.9607</td><td>0.9903</td><td>0.8971</td><td>0.9401</td><td>0.9844</td><td>0.8957</td><td>0.9411</td><td>0.9847</td><td>0.9032</td><td>0.9509</td><td>0.9875</td></td>	<td>Effi. B4</td> <td>0.9100</td> <td>0.9615</td> <td>0.9905</td> <td>0.9100</td> <td>0.9607</td> <td>0.9903</td> <td>0.8971</td> <td>0.9401</td> <td>0.9844</td> <td>0.8957</td> <td>0.9411</td> <td>0.9847</td> <td>0.9032</td> <td>0.9509</td> <td>0.9875</td>				Effi. B4	0.9100	0.9615	0.9905	0.9100	0.9607	0.9903	0.8971	0.9401	0.9844	0.8957	0.9411	0.9847	0.9032	0.9509	0.9875
Intensity level = 2 Intensity level = 2 CORE 0.8814 0.9272 0.9890 0.8521 0.8851 0.9663 0.8572 0.9179 0.9770 0.9673 0.9179 0.9673 0.9171 0.9063 0.5711 0.9026 0.9771 0.8571 0.9253 0.9875 0.9250 0.9875 0.9251 0.9853 0.9771 0.9284 0.9871 0.9271 0.9851 0.9771 0.9281 0.9871 0.9281 0.9871 0.9281 0.9871 0.9281 0.9871 0.9781 0.8873 0.9973 0.8875 0.9210 0.8775 0.9171 0.8714 0.9917 0.8755 0.9173 0.8735 0.9103 0.9779 0.8575 0.9192 0.8735 0.9104 0.9779 0.8575 0.9171 0.8771 0.8783 0.9199 0.8725 0.9171 0.8775 0.9171 0.8735 0.9104 0.9779 0.8875 0.9104 0.9779 0.8875 0.9124 0.8484 0.8714 0.8444 0.8779 0.8314 0.8444	Effi. B4 + T^2 A	0.8871	0.9393	0.9844	0.8914	0.9396	0.984	0.8871	0.9292	0.9813	0.8842	0.9287	0.9808	0.8875	0.9342	0.9826				
$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$							h	ntensity leve	1 = 2											
$ \begin{array}{c} \begin{tabular}{l l l l l l l l l l l l l l l l l l l $	CODE									0.9557	0.0122	0.0761								
$ \begin{array}{c} \text{CORE 1°X$} & 0.887 \\ 0.985 \\ 0.995 \\ 0.887 \\ 0.975 \\ 0.887 \\ 0.975 \\ 0.887 \\ 0.975 \\ 0.988 \\ 0.998 \\ 0.985 \\ 0.998 \\ 0.975 \\ 0.887 \\ 0.975 \\ 0.988 \\ 0.998 \\ 0.975 \\ 0.887 \\ 0.975 \\ 0.988 \\ 0.998 \\ 0.975 \\ 0.988 \\ 0.998 \\ 0.975 \\ 0.887 \\ 0.975 \\ 0.988 \\ 0.998 \\ 0.975 \\ 0.887 \\ 0.975 \\ 0.975 \\ 0.975 \\ 0.887 \\ 0.975 \\ 0.975 \\ 0.975 \\ 0.887 \\ 0.975 \\ 0.975 \\ 0.975 \\ 0.887 \\ 0.975 \\ 0.975 \\ 0.975 \\ 0.887 \\ 0.975 \\ 0.975 \\ 0.878 \\ 0.975 \\ 0.975 \\ 0.878 \\ 0.971 \\ 0.978 \\ 0.975 \\ 0.878 \\ 0.971 \\ 0.978 \\ 0.975 \\ 0.878 \\ 0.971 \\ 0.978 \\ 0.975 \\ 0.878 \\ 0.971 \\ 0.978 \\ 0.988 \\ 0.998 \\ 0.972 \\ 0.978 \\ 0.883 \\ 0.977 \\ 0.977 \\ 0.978 \\ 0.883 \\ 0.971 \\ 0.978 \\ 0.878 \\ 0.971 \\ 0.878 \\ 0.971 \\ 0.878 \\ 0.971 \\ 0.878 \\ 0.971 \\ 0.978 \\ 0.878 \\ 0.971 \\ 0.878 \\ 0.971 \\ 0.878 \\ 0.971 \\ 0.978 \\ 0.878 \\ 0.971 \\ 0.978 \\ 0.878 \\ 0.971 \\ 0.978 \\ 0.878 \\ 0.971 \\ 0.978 \\ 0.878 \\ 0.971 \\ 0.978 \\ 0.878 \\ 0.971 \\ 0.978 \\ 0.878 \\ 0.971 \\ 0.978 \\ 0.878 \\ 0.971 \\ 0.978 \\ 0.878 \\ 0.971 \\ 0.978 \\ 0.878 \\ 0.971 \\ 0.978 \\ 0.978 \\ 0.972 \\ 0.977 \\ 0.978 \\ 0.978 \\ 0.977 \\ 0.978 \\ 0.971 \\ 0.973 \\ 0.974 \\ 0.971 \\ 0.973 \\ 0.974 \\ 0.971 \\ 0.973 \\ 0.974 \\ 0.944 \\ 0.945 \\ 0.944 \\ 0.945 \\ 0.944 \\ 0.945 \\ 0.944 \\ 0.945 \\ 0.945 \\ 0.945 \\ 0.945 \\ 0.945 \\ 0.945 \\ 0.945 \\ 0.945 \\ 0.945 \\ 0.945 \\ 0.945 \\ 0.945 \\ 0.945 \\ 0.945 \\ 0.945 \\ 0.945 \\ 0.$	CORE 2	0.8814	0.9272	0.9809	0.8242	0.8861	0.9685	0.8542	0.9176	0.9770	0.8628	0.9179	0.9780	0.8557	0.9122	0.9761				
FNRCOB 0.5350 0.5350 0.5350 0.5350 0.5350 0.5350 0.5350 0.5350 0.5350 0.5350 0.5351 0.5350 0.5350 0.5351 0.5350 0.5351 0.5350 0.5351 <th0.5351< th=""> <th0.5351< th=""> 0.53</th0.5351<></th0.5351<>	CORE + T ⁻ A	0.8857	0.9160	0.9749	0.8614	0.8990	0.9705	0.8657	0.8992	0.9679	0.8714	0.9001	0.9683	0.8711	0.9036	0.9704				
F18.et + 1° Å 0.8320 0.9512 0.9531 0.9780 0.8780 0.9701 0.8877 0.9811 0.9853 0.8814 0.9010 0.9702 RECCE 0.8520 0.8770 0.8770 0.8770 0.8772 0.9722 0.8735 0.9040 0.9702 0.8714 0.9901 0.9702 0.8714 0.8028 0.8785 0.9070 0.8775 0.9772 0.8735 0.9040 0.9772 0.8835 0.9190 0.9779 0.8714 0.9001 0.9778 0.8728 0.9006 0.9729 0.8778 0.9040 0.9779 Em. B4 + 1°Å 0.8853 0.9190 0.9779 0.8716 0.9011 0.8728 0.9044 0.8718 0.9044 0.9779 0.8778 0.9044 0.8718 0.8628 0.9971 0.8174 0.9644 0.9775 FINet 0.8228 0.8370 0.8741 0.9544 0.8170 0.8444 0.8710 0.8444 0.8210 0.8444 0.9551 0.8157 0.9111 0.8523 0.8144 <td>Follet 2</td> <td>0.8983</td> <td>0.9339</td> <td>0.9830</td> <td>0.8557</td> <td>0.9203</td> <td>0.9791</td> <td>0.8085</td> <td>0.9293</td> <td>0.9819</td> <td>0.8857</td> <td>0.9280</td> <td>0.9803</td> <td>0.8771</td> <td>0.9284</td> <td>0.9813</td>	Follet 2	0.8983	0.9339	0.9830	0.8557	0.9203	0.9791	0.8085	0.9293	0.9819	0.8857	0.9280	0.9803	0.8771	0.9284	0.9813				
RECLE 0.8/54 0.9/19 0.9/19 0.9/19 0.8/14 0.9640 0.8874 0.9640 0.8714 0.9874 0.8714 0.9316 0.9712 0.8311 0.9316 0.9712 0.8311 0.9321 0.9712 0.8311 0.9222 Effi. B4 0.8557 0.9422 0.9854 0.9779 0.8714 0.9824 0.9075 0.8722 0.9086 0.9773 0.8738 0.9006 0.9712 0.8778 0.9006 0.9712 0.8778 0.9006 0.9722 0.8778 0.9006 0.9729 0.8778 0.9006 0.9729 0.8778 0.8414 0.9718 0.8425 0.9006 0.9719 0.8714 0.8514 0.9538 0.8414 0.9714 0.8714 0.8528 0.9061 0.9117 0.8211 0.9218 0.8141 0.9514 0.8147 0.8232 0.8613 0.9515 0.8141 0.9514 0.8141 0.9518 0.8161 0.8232 0.9661 0.8161 0.8232 0.9661 0.8161 0.8263 0.9613 <td>F3Net + T⁻A</td> <td>0.8928</td> <td>0.9512</td> <td>0.9880</td> <td>0.8757</td> <td>0.9246</td> <td>0.9786</td> <td>0.8700</td> <td>0.9193</td> <td>0.9787</td> <td>0.8871</td> <td>0.9311</td> <td>0.9885</td> <td>0.8814</td> <td>0.9316</td> <td>0.9835</td>	F3Net + T ⁻ A	0.8928	0.9512	0.9880	0.8757	0.9246	0.9786	0.8700	0.9193	0.9787	0.8871	0.9311	0.9885	0.8814	0.9316	0.9835				
RECCE + T-2 0.8371 0.922 0.9374 0.9014 0.9714 0.8024 0.9581 0.8742 0.9381 0.9391 0.8715 0.03712 0.03712 0.03712 0.03712 0.03712 0.03728 0.0111 0.0779 0.8851 0.9979 Effi. B4 + T ² A 0.8885 0.9190 0.9779 0.8871 0.9990 0.8728 0.9011 0.9778 0.9378 0.9046 0.9729 Intensity level = 3 CORE - 0.8328 0.8337 0.9010 0.8766 0.9542 0.8445 0.8646 0.9951 0.8144 0.8214 0.8447 0.9544 CORE + 7 ² A 0.8857 0.9191 0.9571 0.8371 0.8414 0.9514 0.8444 0.9524 0.8452 0.9660 0.8514 0.8444 0.9534 0.8414 0.8514 0.8440 0.953 Fibret + 2 ² A 0.8857 0.9191 0.9771 0.8711 0.8710 0.811 0.810 0.812 0.9844 0.9242 0.8444	RECCE	0.8542	0.9119	0.9756	0.8157	0.8743	0.9640	0.8628	0.8870	0.9670	0.8757	0.9073	0.9742	0.8521	0.8951	0.9702				
Em. B4 0.885 0.9422 0.9579 0.878 0.9009 0.9715 0.8712 0.9121 0.9799 0.8853 0.9189 0.9799 Em. B4 + T ² A 0.8855 0.9190 0.9779 0.8871 0.9895 0.9010 0.9708 0.8628 0.9006 0.9799 0.8778 0.9910 Intensity level = 3 CORE 0.8314 0.8676 0.9627 0.767 0.8310 0.9560 0.8457 0.8574 0.9544 0.8454 0.9971 0.8514 0.8644 0.9971 F3Net + 7 ² A 0.8514 0.8676 0.9627 0.7677 0.8310 0.9509 0.8377 0.8704 0.9644 0.8100 0.8380 0.9661 0.8422 0.8460 0.8412 0.8422 0.8460 0.8371 0.8140 0.8541 0.8591 0.8640 0.8378 0.8100 0.8380 0.9671 0.8142 0.9402 RECCE + 7 ² A 0.8385 0.9910 0.9771 0.8171 0.8262 0.8371 0.	RECCE + T ⁻ A	0.8771	0.9254	0.9796	0.8714	0.9001	0.9717	0.8714	0.8924	0.9675	0.8742	0.8981	0.9698	0.8735	0.9040	0.9722				
Ehr. H4 + T-X 0.5885 0.9190 0.87/2 0.9001 0.97/8 0.8628 0.9006 0.97/9 0.87/8 0.9146 0.97/9 Intensity level = 3 CORE 0.8333 0.9514 0.8077 0.8205 0.9401 0.8574 0.9518 0.8414 0.8714 0.9644 0.8447 0.9575 FNet 0.8328 0.8376 0.9607 0.7657 0.8310 0.9564 0.8477 0.8576 0.9644 0.8100 0.8800 0.9671 0.8161 0.8622 0.9635 FNet 0.8527 0.911 0.8771 0.8840 0.9641 0.8417 0.8570 0.8542 0.8842 0.9660 0.8542 0.8814 0.8514 0.9414 0.8100 0.8377 0.9505 0.8160 0.8160 0.8160 0.8160 0.8164 0.9513 RECCE + T ² 0.8350 0.8452 0.8451 0.8524 0.8584 0.9550 0.8114 0.8449 0.9551 0.8160 0.8144 0.8544	Effi. B4	0.8857	0.9422	0.9854	0.8171	0.9202	0.9789	0.8785	0.9009	0.9715	0.8/28	0.9121	0.9759	0.8635	0.9189	0.9779				
Unterstip tere i = J CORE 0.8328 0.8333 0.9514 0.807 0.8205 0.9401 0.8714 0.8576 0.9528 0.8414 0.8714 0.9644 0.8218 0.8444 0.9524 CORE + r ² A 0.8539 0.9660 0.8600 0.8600 0.8600 0.8600 0.8614 0.8644 0.9571 F3Net A 0.8528 0.8676 0.9627 0.7677 0.8310 0.9599 0.8357 0.8704 0.9644 0.8100 0.8800 0.9671 0.8161 0.8623 0.9613 F3Net + r ² A 0.8842 0.8440 0.9355 0.8770 0.8314 0.8440 0.9353 0.8300 0.8300 0.8305 0.8410 0.8421 0.9921 RECCE + r ² A 0.8380 0.8381 0.8442 0.8531 0.8440 0.8537 0.8442 0.8540 0.9371 Effi. B4 0.3314 0.3182 0.4341 0.8547 0.8711 0.751 0.871 0.751 0.871 0.751 </td <td>Effi. B4 + T² A</td> <td>0.8885</td> <td>0.9190</td> <td>0.9779</td> <td>0.8871</td> <td>0.8985</td> <td>0.9699</td> <td>0.8728</td> <td>0.9001</td> <td>0.9708</td> <td>0.8628</td> <td>0.9006</td> <td>0.9729</td> <td>0.8778</td> <td>0.9046</td> <td>0.9729</td>	Effi. B4 + T ² A	0.8885	0.9190	0.9779	0.8871	0.8985	0.9699	0.8728	0.9001	0.9708	0.8628	0.9006	0.9729	0.8778	0.9046	0.9729				
$ \begin{array}{c c c c c c c c c c c c c c c c c c c $							I	ntensity leve	1 = 3											
$ \begin{array}{c c c c c c c c c c c c c c c c c c c $	CORE	0.8328	0.8333	0.9514	0.8057	0.8205	0.9401	0.8071	0.8534	0.9538	0.8414	0.8714	0.9644	0.8218	0.8447	0.9524				
F3Net0.85280.86760.96270.76570.83100.95900.83570.87440.96440.81000.88000.96710.81610.86230.9616F3Net + 720.88570.9110.97710.88710.88700.96400.84520.88220.96600.85420.88200.96600.85420.88300.83780.95050.81600.81420.9402RECCE + 720.83850.84980.95550.84470.86220.95120.81100.95270.84420.85300.85240.84140.85400.9527Effi. B40.83140.81800.93940.67420.84340.95390.81000.83460.94630.83570.84140.95550.78780.83440.9488Effi. B4 + 720.85000.83520.94600.85420.85880.95110.84850.85750.83140.84920.95290.84000.85040.9517CORE0.75420.68450.89780.78710.75710.90080.80000.76440.91750.80710.81880.94380.78710.7520.9150CORE t 72 A0.79420.73670.91360.84420.95300.75750.5770.5770.7520.91500.75420.81410.81820.96720.81630.81220.80310.93740.82820.93630.9267F3Net + 72 A0.81850.79700.93660.81410.84860.94570.81850.82650.8214	$CORE + T^2A$	0.8514	0.8639	0.9600	0.8600	0.8716	0.9564	0.8457	0.8576	0.9542	0.8485	0.8646	0.9595	0.8514	0.8644	0.9575				
$ \begin{array}{c c c c c c c c c c c c c c c c c c c $	F3Net	0.8528	0.8676	0.9627	0.7657	0.8310	0.9509	0.8357	0.8704	0.9644	0.8100	0.8800	0.9671	0.8161	0.8623	0.9613				
RECCE 0.8242 0.8014 0.9355 0.7928 0.7976 0.9319 0.8171 0.8201 0.9430 0.8300 0.8378 0.9505 0.8160 0.8142 0.9402 RECCE + T ² A 0.8385 0.8498 0.9555 0.8457 0.8622 0.9542 0.8310 0.8442 0.8450 0.9557 0.8444 0.9555 0.7878 0.8344 0.9595 Effi. B4 0.8310 0.8350 0.8500 0.8522 0.9463 0.8356 0.8314 0.8422 0.8504 0.9514 Effi. B4 + T ² A 0.8500 0.8578 0.7871 0.7571 0.9008 0.8000 0.7604 0.9175 0.8011 0.8188 0.9438 0.7871 0.7552 0.9150 CORE 0.7542 0.6845 0.8978 0.7871 0.7571 0.9008 0.8007 0.7542 0.8033 0.9374 0.8228 0.8033 0.9369 FNet 0.8057 0.718 0.8991 0.7428 0.7486 0.9152 0.8071	F3Net + T^2A	0.8857	0.9191	0.9771	0.8571	0.8840	0.9641	0.8471	0.8829	0.9660	0.8542	0.8882	0.9667	0.8610	0.8936	0.9685				
RECCE + T^2A 0.83850.84980.95550.84570.86220.95420.83710.84960.95270.84420.85450.95240.84140.85400.9577Effi. B40.83140.81800.93940.67420.84340.95390.81000.83660.94630.83570.84140.95550.78780.83440.9488Effi. B4 + T^2A 0.85000.83520.94000.85420.85880.95110.84850.95500.83140.94920.95290.84600.85040.9514Tetmsty level = 4CORE0.75420.64450.89780.78710.75710.90080.80000.76040.91750.80110.81880.94380.78710.75720.9150CORE 1.72A0.75420.74860.95300.83850.82560.94340.81420.80430.93740.82280.80330.9369FiNet0.80750.70180.89910.74280.74660.91520.80750.75120.92040.76610.82030.94740.78030.75520.9150FiNet + T^2A 0.81880.79700.93660.84140.84480.94570.81850.82010.95780.82850.82610.94530.82670.82250.78320.73440.9072FiNet + T^2A 0.81880.77700.93660.84140.84480.94570.81850.82010.97520.97610.773<	RECCE	0.8242	0.8014	0.9355	0.7928	0.7976	0.9319	0.8171	0.8201	0.9430	0.8300	0.8378	0.9505	0.8160	0.8142	0.9402				
Effi. B4 0.8314 0.8180 0.9394 0.6742 0.8434 0.9539 0.8100 0.8346 0.9463 0.8357 0.8414 0.9555 0.7878 0.8344 0.9488 Effi. B4 + T ² A 0.8500 0.8352 0.9460 0.8542 0.8588 0.9511 0.8485 0.8583 0.9556 0.8314 0.8492 0.9529 0.8460 0.8504 0.9514 Intensity level = 4 CORE 0.7542 0.6845 0.8978 0.7871 0.7571 0.9008 0.8000 0.7604 0.9175 0.8071 0.8188 0.9438 0.7871 0.7552 0.9150 CORE 0.7942 0.7367 0.9136 0.8442 0.8467 0.9530 0.8385 0.8256 0.9441 0.8428 0.8033 0.9374 0.8228 0.8041 0.8448 0.94163 0.8171 0.8203 0.9442 0.7803 0.7562 0.9204 FNet 0.8057 0.718 0.8184 0.8414 0.8418 0.8424	RECCE + T^2A	0.8385	0.8498	0.9555	0.8457	0.8622	0.9542	0.8371	0.8496	0.9527	0.8442	0.8545	0.9524	0.8414	0.8540	0.9537				
Effi. B4 + T ² A 0.8500 0.8352 0.9460 0.8542 0.8588 0.9511 0.8485 0.8583 0.9556 0.8314 0.8492 0.9529 0.8460 0.8504 0.9514 Intensity level = 4 CORE 0.7542 0.6845 0.8978 0.7871 0.7571 0.9008 0.8000 0.7604 0.9175 0.8071 0.8188 0.9438 0.7871 0.7552 0.9150 CORE 0.7367 0.9136 0.8442 0.8467 0.9530 0.8385 0.8256 0.9434 0.8142 0.8043 0.9374 0.8228 0.8033 0.9369 F3Net 0.8057 0.718 0.8991 0.7428 0.7486 0.9152 0.8057 0.7542 0.9232 0.7671 0.7783 0.8267 0.8295 0.9464 RECCE 0.7957 0.6581 0.8747 0.7359 0.8185 0.8020 0.7453 0.9125 0.7671 0.7782 0.9286 0.7832 0.7344 0.9071 <t< td=""><td>Effi. B4</td><td>0.8314</td><td>0.8180</td><td>0.9394</td><td>0.6742</td><td>0.8434</td><td>0.9539</td><td>0.8100</td><td>0.8346</td><td>0.9463</td><td>0.8357</td><td>0.8414</td><td>0.9555</td><td>0.7878</td><td>0.8344</td><td>0.9488</td></t<>	Effi. B4	0.8314	0.8180	0.9394	0.6742	0.8434	0.9539	0.8100	0.8346	0.9463	0.8357	0.8414	0.9555	0.7878	0.8344	0.9488				
Intensity level = 4CORE0.75420.68450.89780.78710.75710.90080.80000.76040.91750.80710.81880.94380.78710.75520.9150CORE + T^2A 0.79420.73670.91360.84420.84670.95300.83850.82560.94340.81420.80430.93740.82280.80330.9369F3Net0.80570.70180.89910.74280.74860.91520.80570.75420.92320.76710.82030.94420.78030.75620.9204F3Net + T^2A 0.81850.79700.93660.84140.84480.94570.81850.85010.95780.82850.82610.94530.82670.82950.9464RECCE0.79570.65810.87430.76570.75590.91350.80420.74530.91250.76710.77820.92860.78320.73440.9072RECCE + T^2A 0.77280.71580.90000.82420.83580.94580.82000.81380.94030.81280.78840.93160.80750.78850.9295Effi. B40.81570.65370.87000.56280.78470.93200.80280.70050.89510.79230.79330.80780.78360.9299Intensity level = 5CORE0.75000.64440.88230.76420.71420.87940.8014<	Effi. B4 + T^2A	0.8500	0.8352	0.9460	0.8542	0.8588	0.9511	0.8485	0.8583	0.9556	0.8314	0.8492	0.9529	0.8460	0.8504	0.9514				
$ \begin{array}{ c c c c c c c c c c c c c c c c c c c$							Ь	ntensity leve	1 = 4											
$ \begin{array}{c c c c c c c c c c c c c c c c c c c $	CORE	0.7542	0.6845	0.8978	0.7871	0.7571	0.9008	0.8000	0.7604	0.9175	0.8071	0.8188	0.9438	0.7871	0.7552	0.9150				
F3Net 0.8057 0.7018 0.8991 0.7428 0.7426 0.9152 0.8057 0.7542 0.9232 0.7671 0.8203 0.9442 0.7803 0.7562 0.9204 F3Net + T^2A 0.8185 0.8153 0.7970 0.9366 0.8414 0.8448 0.9457 0.8185 0.8501 0.9578 0.8285 0.8261 0.9453 0.8267 0.8295 0.9444 RECCE 0.7957 0.6581 0.8743 0.7657 0.7559 0.9135 0.8042 0.7433 0.9125 0.7671 0.7782 0.9286 0.7832 0.7344 0.9072 RECCE + T^2A 0.7728 0.7158 0.7158 0.9000 0.8242 0.8358 0.9458 0.8200 0.8138 0.9403 0.8128 0.7884 0.9316 0.8075 0.7885 0.9295 Effi. B4 0.8157 0.6537 0.8700 0.5628 0.7847 0.9320 0.8028 0.7005 0.8951 0.7928 0.7899 0.9313 0.7435 0.7322 0.9071 Effi. B4 + T^2A 0.7665 0.7174 0.9087 0.8271 0.8281 0.9393 0.8228 0.7966 0.9342 0.8128 0.7923 0.9373 0.8078 0.7836 0.9226 CORE 0.7500 0.6444 0.8823 0.7642 0.7142 0.8794 0.8014 0.6590 0.8717 0.7657 0.7633 0.9281 0.7703 0.6952 0.8994 CORE 0.7	$CORE + T^2A$	0.7942	0.7367	0.9136	0.8442	0.8467	0.9530	0.8385	0.8256	0.9434	0.8142	0.8043	0.9374	0.8228	0.8033	0.9369				
$ \begin{split} F3Net + T^2A & 0.8185 & 0.7970 & 0.9366 & 0.8414 & 0.8448 & 0.9457 & 0.8185 & 0.8501 & 0.9578 & 0.8285 & 0.8261 & 0.9453 & 0.8267 & 0.8295 & 0.9464 \\ RECCE & 0.7957 & 0.6581 & 0.8743 & 0.7657 & 0.7559 & 0.9135 & 0.8042 & 0.7453 & 0.9125 & 0.7671 & 0.7782 & 0.9286 & 0.7832 & 0.7344 & 0.9072 \\ RECCE + T^2A & 0.7728 & 0.7158 & 0.9000 & 0.8242 & 0.8358 & 0.9458 & 0.8200 & 0.8138 & 0.9403 & 0.8128 & 0.7884 & 0.9316 & 0.8075 & 0.7885 & 0.9295 \\ Effi. B4 & 0.8157 & 0.6537 & 0.8700 & 0.5628 & 0.7847 & 0.9320 & 0.8028 & 0.7005 & 0.8951 & 0.7928 & 0.7899 & 0.9313 & 0.7435 & 0.7322 & 0.9071 \\ Effi. B4 + T^2A & 0.7685 & 0.7174 & 0.9087 & 0.8271 & 0.8281 & 0.9393 & 0.8228 & 0.7966 & 0.9342 & 0.8128 & 0.7923 & 0.9373 & 0.8078 & 0.7836 & 0.9299 \\ \hline \\$	F3Net	0.8057	0.7018	0.8991	0.7428	0.7486	0.9152	0.8057	0.7542	0.9232	0.7671	0.8203	0.9442	0.7803	0.7562	0.9204				
$ \begin{array}{c c c c c c c c c c c c c c c c c c c $	F3Net + T^2A	0.8185	0.7970	0.9366	0.8414	0.8448	0.9457	0.8185	0.8501	0.9578	0.8285	0.8261	0.9453	0.8267	0.8295	0.9464				
$\begin{array}{ c c c c c c c c c c c c c c c c c c c$	RECCE	0.7957	0.6581	0.8743	0.7657	0.7559	0.9135	0.8042	0.7453	0.9125	0.7671	0.7782	0.9286	0.7832	0.7344	0.9072				
Effi. B4 0.8157 0.6537 0.8700 0.5628 0.7847 0.9320 0.8028 0.7005 0.8951 0.7928 0.7899 0.9313 0.7435 0.7322 0.9071 Effi. B4 + T^2A 0.7685 0.7174 0.9087 0.8271 0.8281 0.9393 0.8228 0.7966 0.9342 0.8128 0.7923 0.9373 0.8078 0.7836 0.9299 Intensity level = 5CORE 0.7500 0.6444 0.8823 0.7642 0.7142 0.8794 0.8014 0.6590 0.8717 0.7657 0.7633 0.9281 0.7703 0.6952 0.8904 CORE T^2A 0.7771 0.7008 0.8968 0.8342 0.8238 0.9444 0.8042 0.7784 0.9312 0.7914 0.7602 0.9178 0.8017 0.7658 0.9226 F3Net 0.8114 0.6300 0.8701 0.7428 0.6893 0.8826 0.8000 0.6500 0.8809 0.7185 0.7778 0.9351 0.7682 0.6868 0.8922 F3Net $+ T^2A$ 0.8014 0.7421 0.9078 0.8228 0.8229 0.9419 0.7928 0.7906 0.9380 0.7957 0.7811 0.9346 0.8032 0.7849 0.9306 RECCE $+ T^2A$ 0.7600 0.6882 0.8853 0.8157 0.7144 0.8959 0.7928 0.7956 0.9237 0.7857 0.7479 0.9151	RECCE + T^2A	0.7728	0.7158	0.9000	0.8242	0.8358	0.9458	0.8200	0.8138	0.9403	0.8128	0.7884	0.9316	0.8075	0.7885	0.9295				
Effi. B4 + T^2A 0.76850.71740.90870.82710.82810.93930.82280.79660.93420.81280.79230.93730.80780.78360.9299Intensity level = 5CORE0.75000.64440.88230.76420.71420.87940.80140.65900.87170.76570.76330.92810.77030.69520.8904CORE $+ T^2A$ 0.77710.70080.89680.83420.82380.94440.80420.77840.93120.79140.76020.91780.80170.76580.9226F3Net0.81140.63000.87010.74280.68930.88260.80000.65000.88090.71850.77780.93510.76820.68680.8922F3Net $+ T^2A$ 0.80140.74210.90780.82280.82290.94190.79280.79060.93800.79570.78110.93460.80320.78490.9306RECCE $+ T^2A$ 0.76000.68820.88530.7140.71440.89590.79280.76510.92370.78570.74790.91510.78860.75390.9158Effi. B40.80280.61090.84580.52570.72320.91020.80140.58820.84540.76000.74470.91590.72250.66680.8793Effi. B4 $+ T^2A$ 0.73710.64510.80280.79520.72520.66680.879	Effi. B4	0.8157	0.6537	0.8700	0.5628	0.7847	0.9320	0.8028	0.7005	0.8951	0.7928	0.7899	0.9313	0.7435	0.7322	0.9071				
Intensity level = 5 Intensity level = 5 CORE 0.7500 0.6444 0.8823 0.7642 0.7142 0.8794 0.8014 0.6590 0.8717 0.7657 0.7633 0.9281 0.7703 0.6952 0.8904 CORE + T^2A 0.7771 0.7008 0.8968 0.8342 0.8238 0.9444 0.8042 0.7784 0.9312 0.9174 0.8017 0.7652 0.9178 0.8017 0.7652 0.9178 0.8017 0.7658 0.9226 F3Net 0.8114 0.6300 0.8701 0.7428 0.6893 0.8826 0.8000 0.6500 0.8809 0.7185 0.7778 0.9351 0.7682 0.6868 0.8922 F3Net $+ T^2A$ 0.8014 0.7428 0.8228 0.8228 0.8228 0.8228 0.9236 0.7957 0.7811 0.9346 0.8032 0.7849 0.9306 RECCE <th colspan<="" td=""><td>Effi. B4 + T^2A</td><td>0.7685</td><td>0.7174</td><td>0.9087</td><td>0.8271</td><td>0.8281</td><td>0.9393</td><td>0.8228</td><td>0.7966</td><td>0.9342</td><td>0.8128</td><td>0.7923</td><td>0.9373</td><td>0.8078</td><td>0.7836</td><td>0.9299</td></th>	<td>Effi. B4 + T^2A</td> <td>0.7685</td> <td>0.7174</td> <td>0.9087</td> <td>0.8271</td> <td>0.8281</td> <td>0.9393</td> <td>0.8228</td> <td>0.7966</td> <td>0.9342</td> <td>0.8128</td> <td>0.7923</td> <td>0.9373</td> <td>0.8078</td> <td>0.7836</td> <td>0.9299</td>	Effi. B4 + T^2A	0.7685	0.7174	0.9087	0.8271	0.8281	0.9393	0.8228	0.7966	0.9342	0.8128	0.7923	0.9373	0.8078	0.7836	0.9299			
$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$							ь	ntensity leve	1 = 5											
CORE + T^2A 0.77710.70080.89680.83420.82380.94440.80420.77840.93120.79140.76020.91780.80170.76580.9226F3Net0.81140.63000.87010.74280.68930.88260.80000.65000.88090.71850.77780.93510.76820.68680.8922F3Net0.80140.74210.90780.82280.82590.94190.79280.79060.93800.79570.78110.93460.80320.78490.9306RECCE0.80280.63510.86880.76140.71440.89590.79850.66080.88230.70420.71030.90550.76670.68520.8881RECCE + T^2A 0.76000.68820.88530.81570.81430.93910.79280.76510.92370.74790.91510.78860.75390.9158Effi. B40.80280.61090.84580.52570.72320.91020.80140.58820.84540.76000.74470.91590.72250.66680.8793Effi. B40.80280.61090.84580.52570.72320.92590.79570.75150.91600.76850.75880.91880.7760.73770.9075	CORE	0.7500	0.6444	0.8823	0.7642	0.7142	0.8794	0.8014	0.6590	0.8717	0.7657	0.7633	0.9281	0.7703	0.6952	0.8904				
Concert 1 in 0.7711 0.7000 0.8000 0.8000 0.8747 0.8012 0.7744 0.9312 0.7144 0.7022 0.7173 0.9311 0.8017 0.7058 0.9228 F3Net 0.8114 0.6300 0.8701 0.7428 0.6893 0.8826 0.8000 0.6500 0.8809 0.7185 0.7778 0.9351 0.7682 0.6868 0.8922 F3Net + T ² A 0.8014 0.7421 0.9078 0.8228 0.8259 0.9419 0.7928 0.7906 0.9380 0.7957 0.7811 0.9346 0.8032 0.7849 0.9306 RECCE 0.8028 0.6351 0.8688 0.7614 0.7144 0.8959 0.7985 0.6808 0.8233 0.7042 0.7103 0.9055 0.7667 0.6852 0.8881 RECCE + T ² A 0.7600 0.6882 0.8853 0.8157 0.8143 0.9391 0.7928 0.7651 0.9237 0.7479 0.9151 0.7866 0.7539 0.9158 Effi. B4 0.8028 0.6109 0.8458 0.5257 0.7232 0.9102 0.8014 </td <td>$CORE \pm T^2 \Lambda$</td> <td>0.7771</td> <td>0.7008</td> <td>0.8968</td> <td>0.8342</td> <td>0.8238</td> <td>0.9444</td> <td>0.8042</td> <td>0.7784</td> <td>0.9312</td> <td>0.7914</td> <td>0.7602</td> <td>0.9178</td> <td>0.8017</td> <td>0.7658</td> <td>0.9226</td>	$CORE \pm T^2 \Lambda$	0.7771	0.7008	0.8968	0.8342	0.8238	0.9444	0.8042	0.7784	0.9312	0.7914	0.7602	0.9178	0.8017	0.7658	0.9226				
F3Net + T ² A 0.8014 0.7421 0.9078 0.8228 0.8259 0.9419 0.7928 0.7906 0.9380 0.7957 0.7811 0.9346 0.8032 0.7849 0.9306 RECCE 0.8028 0.6351 0.8688 0.7614 0.7144 0.8959 0.7985 0.6808 0.8223 0.7042 0.7103 0.9055 0.7667 0.6852 0.8881 RECCE + T ² A 0.7600 0.6882 0.8853 0.8157 0.8143 0.9391 0.7928 0.7651 0.9237 0.7479 0.9151 0.7886 0.7539 0.9158 Effi. B4 0.8028 0.6109 0.8458 0.5257 0.7232 0.9102 0.8014 0.5882 0.8454 0.7600 0.7447 0.9159 0.7225 0.6668 0.8793 Effi. B4 0.8028 0.6109 0.8458 0.5257 0.7232 0.9102 0.8014 0.5882 0.8454 0.7600 0.7447 0.9159 0.7225 0.6668 0.8793 Effi. B4 0.7371 0.6451 0.8028 0.7952 0.7957 0.7515 0.9160 <td>F3Net</td> <td>0.8114</td> <td>0.6300</td> <td>0.8701</td> <td>0.7428</td> <td>0.6893</td> <td>0.8826</td> <td>0.8000</td> <td>0.6500</td> <td>0.8809</td> <td>0.7185</td> <td>0.7778</td> <td>0.9351</td> <td>0.7682</td> <td>0.6868</td> <td>0.8922</td>	F3Net	0.8114	0.6300	0.8701	0.7428	0.6893	0.8826	0.8000	0.6500	0.8809	0.7185	0.7778	0.9351	0.7682	0.6868	0.8922				
RECCE 0.8028 0.6351 0.8688 0.7614 0.714 0.8959 0.7985 0.6808 0.8823 0.7011 0.9540 0.8022 0.7649 0.9500 RECCE 0.8028 0.6351 0.8688 0.7614 0.7144 0.8959 0.7985 0.6808 0.8823 0.7042 0.7103 0.9055 0.7667 0.6852 0.8881 RECCE + T ² A 0.7600 0.6882 0.8853 0.8157 0.8143 0.9391 0.7928 0.7651 0.9237 0.7479 0.9151 0.7886 0.7539 0.9158 Effi. B4 0.8028 0.6109 0.8458 0.5257 0.7232 0.9102 0.8014 0.5882 0.8454 0.7600 0.7447 0.9159 0.7225 0.6668 0.8793 Effi. B4 0.8028 0.6191 0.8028 0.7952 0.9257 0.7515 0.9160 0.7685 0.7588 0.9188 0.776 0.7377 0.9075	F3Net $\pm \pi^2 \lambda$	0.8014	0.7421	0.9078	0.8228	0.8250	0.9/10	0.7928	0.7906	0.9380	0.7957	0.7811	0.9346	0.8032	0.7849	0.9306				
RECCE + T ² A 0.7600 0.6882 0.8853 0.8157 0.8143 0.9391 0.7928 0.7651 0.9237 0.7479 0.9151 0.7886 0.7539 0.9158 Effi. B4 0.8028 0.6109 0.8458 0.5257 0.722 0.9102 0.8014 0.5882 0.8454 0.7600 0.7479 0.9151 0.7886 0.7539 0.9158 Effi. B4 0.8028 0.6109 0.8458 0.5257 0.7232 0.9102 0.8014 0.5882 0.8454 0.7600 0.7447 0.9159 0.7225 0.6668 0.8793 Effi. B4 + T ² A 0.7371 0.6451 0.8028 0.7952 0.9259 0.7957 0.7515 0.9160 0.7685 0.7588 0.9188 0.776 0.7377 0.9075	RECCE	0.8028	0.6351	0.8688	0.6228	0.7144	0.8959	0.7926	0.6808	0.8823	0.7937	0.7811	0.9055	0.7667	0.6852	0.9300				
Recent r in 0.000 0.002 0.003 0.017 0.017 0.011 0.017	RECCE + T^{2}	0.7600	0.6882	0.8853	0.8157	0.8143	0.9391	0.7928	0.7651	0.9237	0.7857	0 7479	0.9151	0.7886	0.7539	0.9158				
$ \begin{array}{c} \text{Eff. B4} + \text{T}^2 \text{A} & 0.7371 & 0.6451 & 0.8091 & 0.8028 & 0.7952 & 0.9259 & 0.7957 & 0.7515 & 0.9160 & 0.7685 & 0.7588 & 0.9188 & 0.776 & 0.7377 & 0.9075 \\ \end{array} $	Effi. B4	0.8028	0.6109	0.8458	0.5257	0.7232	0.9102	0.8014	0.5882	0.8454	0.7600	0.7447	0.9159	0.7225	0.6668	0.8793				
	Effi. $B4 + T^2 A$	0.7371	0.6451	0.8691	0.8028	0.7952	0.9259	0.7957	0.7515	0.9160	0.7685	0.7588	0.9188	0.776	0.7377	0.9075				

Table 8: Improvement of deepfake detectors to unknown postprocessing techniques from intensity level from 1 to 5.